Scalable Ontology-Based Information Systems

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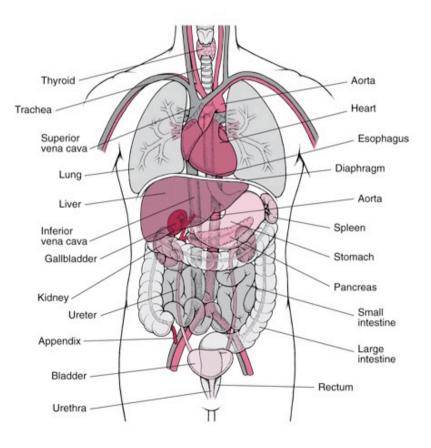






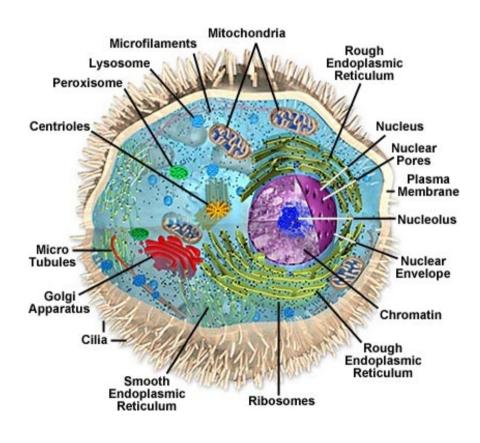


- Introduces **vocabulary** relevant to domain, e.g.:
 - Anatomy



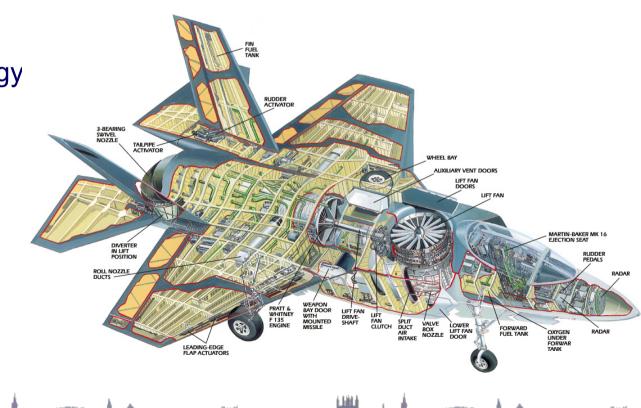


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 - Cellular biology



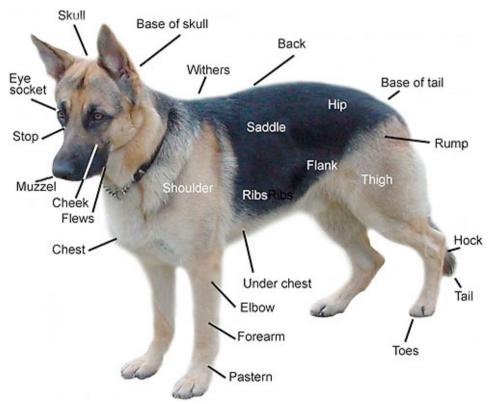


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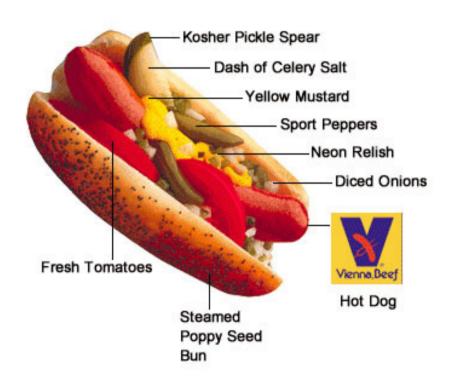


A model of (some aspect of) the world

- Introduces vocabulary relevant to domain, e.g.:
 - Anatomy
 - Cellular biology
 - Aerospace
 - Dogs

. . .

Hotdogs

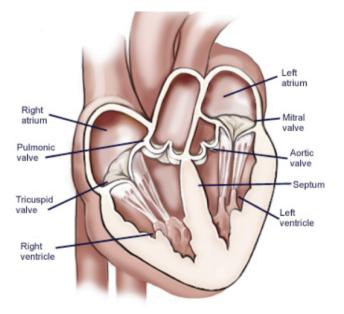




A model of (some aspect of) the world

- Introduces vocabulary
 relevant to domain
- Specifies meaning (semantics) of terms

Heart is a muscular organ that is part of the circulatory system



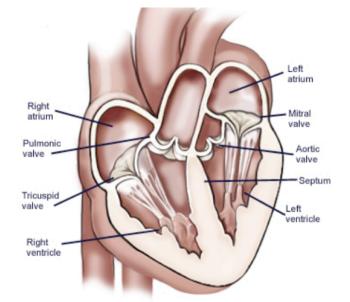
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Heart is a muscular organ that is part of the circulatory system

• Formalised using suitable logic

 $\begin{aligned} \forall x. [\mathsf{Heart}(x) & \to \mathsf{MuscularOrgan}(x) \land \\ & \exists y. [\mathsf{isPartOf}(x, y) \land \\ & \mathsf{CirculatorySystem}(y)]] \end{aligned}$



Web Ontology Language OWL (2)

- W3C recommendation(s)
- Motivated by Semantic Web activity

Add meaning to web content by annotating it with terms defined in ontologies

- Supported by tools and infrastructure
 - APIs (e.g., OWL API, Thea, OWLink)
 - Development environments
 (e.g., Protégé, Swoop, TopBraid Composer, Neon)
 - Reasoners & Information Systems
 (e.g., Pellet, Racer, HermiT, Quonto, ...)
- Based on Description Logics (SHOIN / SROIQ)





Description Logics (DLs)

- Fragments of **first order logic** designed for KR
- Desirable computational properties
 - Decidable (essential)
 - Low complexity (desirable)
- Succinct and variable free syntax

 $\begin{aligned} \forall x. [\mathsf{Heart}(x) & \to \mathsf{MuscularOrgan}(x) \land \\ & \exists y. [\mathsf{isPartOf}(x, y) \land \\ & \mathsf{CirculatorySystem}(y)] \end{aligned}$

 $\begin{array}{l} \mathsf{Heart}\sqsubseteq\mathsf{MuscularOrgan}\sqcap\\ \exists \mathsf{isPartOf}.\mathsf{CirculatorySystem} \end{array}$



Description Logics (DLs)

DL Knowledge Base (KB) consists of two parts:

- Ontology (aka TBox) axioms define terminology (schema)

Heart \Box MuscularOrgan \sqcap $\exists isPartOf.CirculatorySystem$ HeartDisease \equiv Disease \sqcap $\exists affects.Heart$ VascularDisease \equiv Disease \sqcap $\exists affects.(\exists isPartOf.CirculatorySystem)$

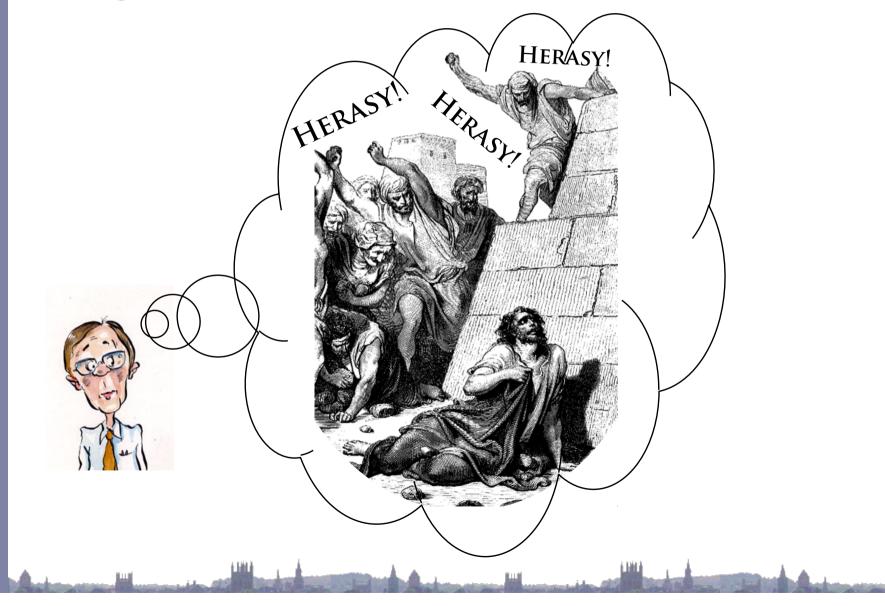
- Ground facts (aka ABox) use the terminology (data)

John : Patient □ ∃suffersFrom.HeartDisease

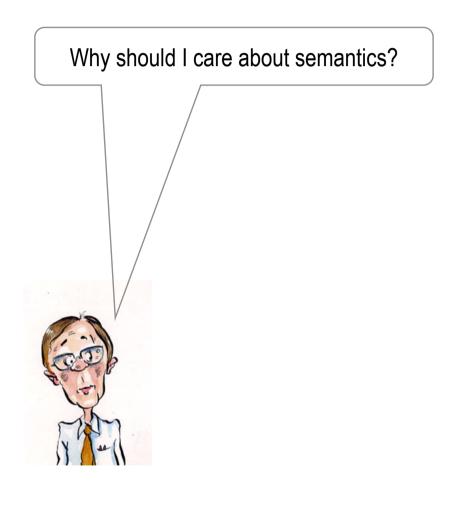




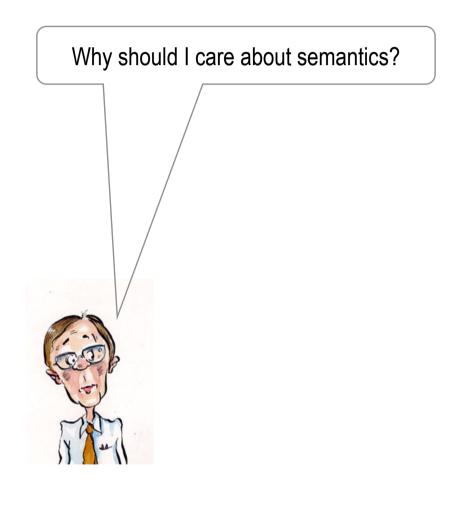














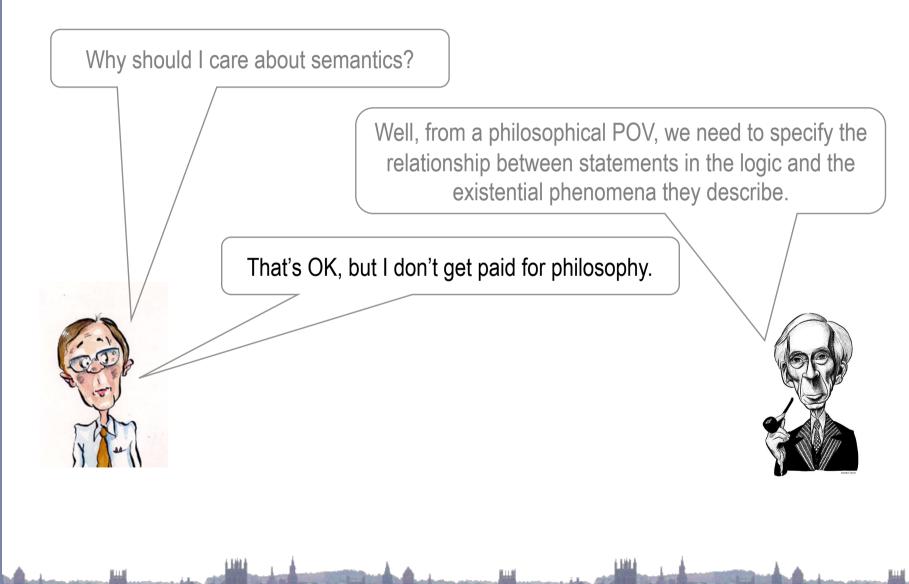


Why should I care about semantics?

Well, from a philosophical POV, we need to specify the relationship between statements in the logic and the existential phenomena they describe.









Why should I care about semantics?

Well, from a philosophical POV, we need to specify the relationship between statements in the logic and the existential phenomena they describe.

That's OK, but I don't get paid for philosophy.

From a practical POV, in order to specify and test (ontology-based) information systems we need to precisely define their intended behaviour



What are Ontologies Good For?

- Coherent user-centric view of domain
 - Help identify and resolve disagreements
- Ontology-based Information Systems
 - View of data that is independent of logical/ physical schema
 - Answers reflect schema & data, e.g.:
 "Patients suffering from Vascular Disease"



Now... *that* should clear up a few things around here



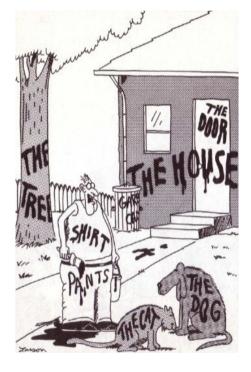
What are Ontologies Good For?

 $\begin{aligned} \text{Heart} \sqsubseteq \text{MuscularOrgan} \sqcap \\ \exists is Part Of. Circulatory System \\ \text{HeartDisease} \equiv \text{Disease} \sqcap \\ \exists affects. \text{Heart} \\ \text{VascularDisease} \equiv \text{Disease} \sqcap \\ \exists affects. (\exists is Part Of. Circulatory System) \end{aligned}$

John : Patient □ ∃suffersFrom.HeartDisease

What are Ontologies Good For?

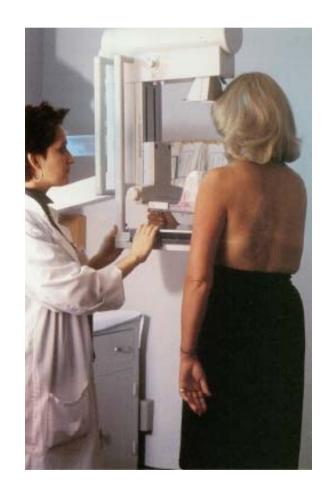
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 - View of data that is independent of logical/ physical schema
 - Answers reflect schema & data, e.g.:
 "Patients suffering from Vascular Disease"
 - Query expansion/navigation/refinement
 - Incomplete and semi-structured data
 - Integration of heterogeneous sources



Now... *that* should clear up a few things around here

Increasingly critical in many areas:

- In Healthcare industry
 - Too much screening harms patients and wastes money
 - Too little screening costs lives



Increasingly critical in many areas:

- In Oil and Gas industry
 - Better quality information could add €1B/year net value to Statoil production
 - Poorer quality information and analysis costs
 €6M/weekend!



Increasingly critical in many areas:

- In IT industry
 - SAP deals with 80,000 queries/month at a cost of approx.
 €16M
 - SAP estimate 50% of support staff time spent searching for relevant information





Increasingly critical in many areas:

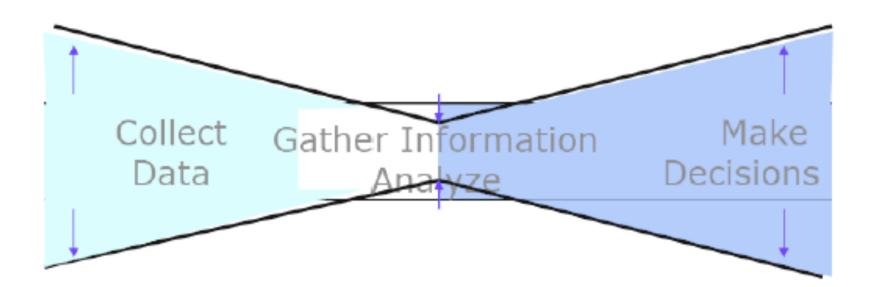
- In Transport Security
 - Failures can cost hundreds of lives



"We had sufficient information, but failed to integrate and understand it"



Analysis Bottleneck



- Decisions based on **information**
- Integration and analysis of data is the bottleneck



Healthcare

- UK NHS £10 billion "Connecting for Health" IT programme
- Key component is **Care Records Service** (CRS)
 - "Live, interactive patient record service accessible 24/7"
 - Patient data distributed across local centres in 5 regional clusters, and a national DB
 - SNOMED-CT ontology provides common vocabulary for data
 - Clinical data uses terms drawn from ontology



SNOMED-CT

- It's **BIG** over **400,000 concepts**
- Language used is **EL profile of OWL 2**
- Multiple hierarchies and rich definitions



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☆ 63 & <mark>+</mark> † ★ ☆ ☆ 80 ◎ ≡ ₩	Pulmonary Tuberculosis
Concept Id 154283005	
DescriptionId 1784750013 clinical finding	
💷 Words - any order 🖃 🔳 🔽 🔽 🕶	pulmonary tuberculosis - Definition
	Concept Status: Current kind of pneumonitis
Eind pulmonary tuber	Figure pulmonary tuberculosis (Alsorder)
P pulmonary tuberculosis	Ppulmonary tuberculosis
STB - Pulmonary tuberculosis P pulmonary tuberose sclerosis	STB - Pulmonary tuberculosis
SPTB - Pulmonary tuberculosis	Definition: Fully defined by
Sinactive pulmonary tuberculosis	Eis a
	inflammatory disorder of lower respiratory tract
<u>×</u>	Disorder of lung
Hierarchy Subtype hierarchy	EDinflammation of specific body organs ED tuberculosis
C 205237003 pneumonitis	EDpulmonary disease due to Mycobacteria
66717001 tuberculosis 84353005 pulmonary disease due to Mycobacteria	infectious disease of lung
E 154283005 pulmonary tuberculosis	bacterial lower respiratory infection mycobacteriosis
428697002 inactive tuberculosis of lung	
■ I86175002 infiltrative lung tuberculosis ■ I86188004 isolated tracheal or bronchial tuberculosis	In Mycobacterium tuberculosis complex
• 77668003 isolated tracheal tuberculosis	associated morphology kind of Dulmonary disease
6 80602006 nodular tuberculosis of lung	
186192006 respiratory tuberculosis, bacteriologically and hist G 186202007 respiratory tuberculosis, not confirmed bacteriolog	
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90117007 tuberculous fibrosis of lung	Original SnomedId · R-F46B3

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What About Scalability?

- Only useful in practice if we can deal with large ontologies and/or large data sets
- Unfortunately, many ontology languages are highly intractable
 - OWL 2 satisfiability is **2NEXPTIME-complete** w.r.t. schema
 - and NP-Hard w.r.t. data (upper bound open)
- Problem addressed in practice by
 - Algorithms that work well in typical cases
 - Highly optimised implementations
 - Use of tractable fragments (aka profiles)





Standard technique based on (hyper-) tableau

- Reasoning tasks reducible to (un)satisfiability
 - E.g., KB ⊨ HeartDisease ⊑ VascularDisease iff
 KB ∪ {x:(HeartDisease □ ¬VascularDisease)} is not satisfiable

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- $x: \mathsf{Disease}$
- $x: \exists affects.Heart$

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x: HeartDisease \sqcap \negVascularDisease
x: HeartDisease
x: Disease
x: \existsaffects.Heart
(x, y): affects
y: Heart
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x: \text{HeartDisease} \sqcap \neg \text{VascularDisease} \qquad x: \neg \text{VascularDisease} \\ x: \text{HeartDisease} \\ x: \text{Disease} \\ x: \exists \text{affects.Heart} \\ (x, y): \text{affects} \\ y: \text{Heart} \\ y: \text{MuscularOrgan} \\ y: \exists isPartOf.CirculatorySystem \\ (y, z): isPartOf \\ z: CirculatorySystem \end{cases}
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- $x: \neg VascularDisease$ $x: \neg Disease \sqcup$
 - ¬∃affects.(∃isPartOf.CirculatorySystem)
- $x: \neg \exists affects.(\exists isPartOf.CirculatorySystem)$
- $x: \forall affects.(\forall isPartOf. \neg CirculatorySystem)$

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- $x: \mathsf{Disease}$
- $x: \exists affects. Heart$

(x, y) : affects

y : Heart

- $y: {\sf MuscularOrgan}$
- $y: \exists isPartOf.CirculatorySystem$

(y, z): isPartOf

z : CirculatorySystem

 $x: \neg VascularDisease$

 $x: \neg \mathsf{Disease} \sqcup$

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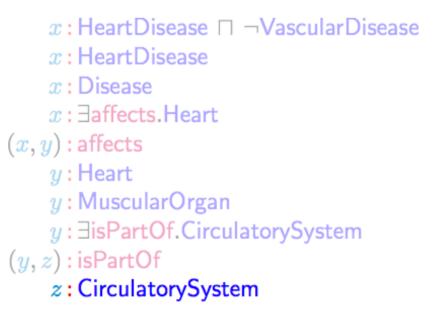
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- $z: \neg CirculatorySystem$

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- Algorithm tries to construct (an abstraction of) a model

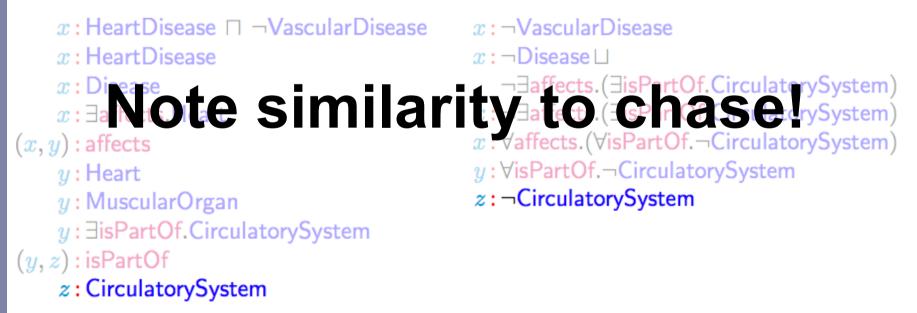


x:¬Disease⊔ ¬∃affects.(∃isPartOf.CirculatorySystem) x:¬∃affects.(∃isPartOf.CirculatorySystem) x:∀affects.(∀isPartOf.¬CirculatorySystem) y:∀isPartOf.¬CirculatorySystem z:¬CirculatorySystem

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Highly Optimised Implementations

- Lazy unfolding
- Simplification and rewriting,

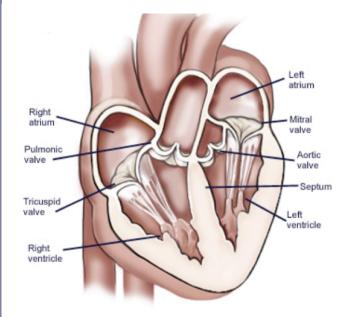
 $\text{e.g., } A \sqcap B \sqsubseteq C \quad \longrightarrow \quad A \sqsubseteq C \sqcup \neg B$

- HyperTableau (reduces non-determinism)
- Fast semi-decision procedures
- Search optimisations
- Reuse of previous computations
- Heuristics

Not computationally optimal, but effective with many realistic ontologies

Scalability Issues

• Problems with very large and/or cyclical ontologies



 $\label{eq:lass} \begin{array}{l} \mbox{LeftSide} \sqsubseteq \exists hasComponent.AorticValve\\ \mbox{LeftSide} \sqsubseteq \exists hasComponent.MitralValve\\ \mbox{AorticValve} \sqsubseteq \exists hasConnection.LeftVentircle\\ \mbox{MitralValve} \sqsubseteq \exists hasConnection.LeftVentircle\\ \mbox{LeftVentricle} \sqsubseteq \exists isDivisionOf.LeftSide\\ \end{array}$

- Ontologies may define 10s/100s of thousands of terms
- Can lead to construction of very large models

Scalability Issues

- Problems with large data sets (ABoxes)
 - Main reasoning problem is (conjunctive) query answering, e.g., retrieve all patients suffering from vascular disease: $Q(x) \leftarrow Patient(x) \land suffersFrom(x, y) \land VascularDisease(y)$
 - Decidability still open for OWL, although minor restrictions (on cycles in non-distinguished variables) restore decidability
 - Query answering reduced to standard decision problem, e.g., by checking for each individual x if $KB \models Q(x)$
 - Model construction starts with *all* ground facts (data)
- Typical applications may use data sets with 10s/100s of millions of individuals (or more)



OWL 2 Profiles

- OWL recommendation now updated to OWL 2
- OWL 2 defines several profiles fragments with desirable computational properties
 - OWL 2 EL targeted at very large ontologies
 - OWL 2 QL targeted at very large data sets



OWL 2 EL

- A (near maximal) fragment of OWL 2 such that
 - Satisfiability checking is in PTime (PTime-Complete)
 - Data complexity of query answering also PTime-Complete
- Based on *EL* family of description logics
- Can exploit **saturation** based reasoning techniques
 - Computes classification in "one pass"
 - Computationally optimal
 - Can be extended to Horn fragment of OWL DL



- Normalise ontology axioms to standard form: $A \sqsubseteq B$ $A \sqcap B \sqsubseteq C$ $A \sqsubseteq \exists R.B$ $\exists R.B \sqsubseteq C$
- Saturate using inference rules:

 $\frac{A \sqsubseteq B \quad B \sqsubseteq C}{A \sqsubseteq C} \qquad \frac{A \sqsubseteq B \quad A \sqsubseteq C \quad B \sqcap C \sqsubseteq D}{A \sqsubseteq D}$ $\frac{A \sqsubseteq \exists R.B \quad B \sqsubseteq C \quad \exists R.C \sqsubseteq D}{A \sqsubseteq D}$

• Extension to Horn fragment requires (many) more rules



Example:

 $\begin{aligned} & \mathsf{OrganTransplant} \equiv \mathsf{Transplant} \sqcap \exists \mathsf{site}.\mathsf{Organ} \\ & \mathsf{HeartTransplant} \equiv \mathsf{Transplant} \sqcap \exists \mathsf{site}.\mathsf{Heart} \\ & \mathsf{Heart} \sqsubseteq \mathsf{Organ} \end{aligned}$



Example:

OrganTransplant ≡ Transplant ⊓ ∃site.Organ HeartTransplant ≡ Transplant ⊓ ∃site.Heart Heart ⊑ Organ



Example:

 $\begin{array}{l} \textbf{OrganTransplant} \equiv \textbf{Transplant} \sqcap \exists \textbf{site.Organ} \\ \textbf{HeartTransplant} \equiv \textbf{Transplant} \sqcap \exists \textbf{site.Heart} \\ \textbf{Heart} \sqsubseteq \textbf{Organ} \end{array}$

 $OrganTransplant \sqsubseteq Transplant$ $OrganTransplant \sqsubseteq \exists site.Organ$



Example:

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OrganTransplant ⊑ Transplant OrganTransplant ⊑ ∃site.Organ ∃site.Organ ⊑ SO Transplant □ SO ⊑ OrganTransplant



Example:

 $OrganTransplant \equiv Transplant \sqcap \exists site.Organ$ HeartTransplant $\equiv Transplant \sqcap \exists site.Heart$ Heart $\sqsubseteq Organ$

OrganTransplant ⊑ Transplant OrganTransplant ⊑ ∃site.Organ ∃site.Organ ⊑ SO Transplant □ SO ⊑ OrganTransplant



Example:

 $OrganTransplant \equiv Transplant \sqcap \exists site.Organ$ HeartTransplant $\equiv Transplant \sqcap \exists site.Heart$ Heart $\sqsubseteq Organ$

OrganTransplant ⊑ Transplant OrganTransplant ⊑ ∃site.Organ ∃site.Organ ⊑ SO Transplant □ SO ⊑ OrganTransplant HeartTransplant ⊑ Transplant HeartTransplant ⊑ ∃site.Heart ∃site.Heart ⊑ SH Transplant □ SH ⊑ HeartTransplant



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 $\frac{A \sqsubseteq \exists R.B \quad B \sqsubseteq C \quad \exists R.C \sqsubseteq D}{A \sqsubseteq D}$

OrganTransplant \sqsubseteq Transplant OrganTransplant \sqsubseteq 3site.Organ \exists site.Organ \sqsubseteq SO Transplant \sqcap SO \sqsubseteq OrganTransplant HeartTransplant \sqsubseteq Transplant HeartTransplant \sqsubseteq 3site.Heart \exists site.Heart \sqsubseteq SH Transplant \sqcap SH \sqsubseteq HeartTransplant Heart \sqsubseteq Organ



Example:

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OrganTransplant \sqsubseteq Transplant OrganTransplant \sqsubseteq \exists site.Organ \exists site.Organ \sqsubseteq SO Transplant \sqcap SO \sqsubseteq OrganTransplant HeartTransplant \sqsubseteq Transplant HeartTransplant \sqsubseteq \exists site.Heart \exists site.Heart \sqsubseteq SH Transplant \sqcap SH \sqsubseteq HeartTransplant Heart \sqsubseteq Organ $\mathsf{HeartTransplant} \sqsubseteq \mathsf{SO}$



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Saturation-based Technique

Performance with large bio-medical ontologies:

	GO	NCI	Galen v.0	Galen v.7	SNOMED
Concepts:	20465	27652	2748	23136	389472
FACT++	15.24	6.05	465.35		650.37
HERMIT	199.52	169.47	45.72		
Pellet	72.02	26.47			_
CEL	1.84	5.76			1185.70
CB	1.17	3.57	0.32	9.58	49.44
Speed-Up:	1.57X	1.61X	143X	∞	13.15X



OWL 2 QL

- A (near maximal) fragment of OWL 2 such that
 - Data complexity of conjunctive query answering in AC⁰
- Based on **DL-Lite** family of description logics
- Can exploit **query rewriting** based reasoning technique
 - Computationally optimal
 - Data storage and query evaluation can be delegated to standard RDBMS
 - Can be extended to more expressive languages (beyond AC⁰) by delegating query answering to a Datalog engine



Query Rewriting Technique (basics)

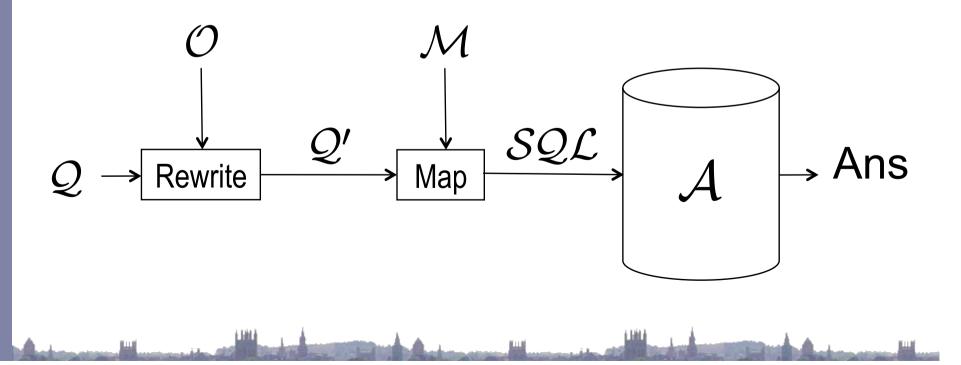
- Given ontology O and query Q, use O to rewrite Q as Q's.t., for any set of ground facts A:
 - $\operatorname{ans}(\mathcal{Q}, \mathcal{O}, \mathcal{A}) = \operatorname{ans}(\mathcal{Q}', \emptyset, \mathcal{A})$



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- Use (GAV) mapping \mathcal{M} to map \mathcal{Q}' to SQL query
- Resolution based query rewriting
 - Clausify ontology axioms
 - **Saturate** (clausified) ontology and query using resolution
 - Prune redundant query clauses



• Example:

 $\mathsf{Doctor} \sqsubseteq \exists \mathsf{treats}.\mathsf{Patient} \\ \mathsf{Consultant} \sqsubseteq \mathsf{Doctor} \\ \mathsf{Doctor} \\$

 $Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y)$



• Example:

Doctor $\sqsubseteq \exists$ treats.Patient Consultant \sqsubseteq Doctor

 $\begin{aligned} \mathsf{treats}(x, f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Patient}(f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Doctor}(x) &\leftarrow \mathsf{Consultant}(x) \end{aligned}$

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 $treats(x, f(x)) \leftarrow Doctor(x)$ Patient(f(x)) $\leftarrow Doctor(x)$ Doctor(x) $\leftarrow Consultant(x)$ $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$



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Example:

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For DL-Lite, result is a union of conjunctive queries $Q(x) \leftarrow (\text{treats}(x, y) \land \text{Patient}(y)) \lor \text{Doctor}(x) \lor \text{Consultant}(x)$

- Data can be stored/left in **RDBMS**
- Relationship between ontology and DB defined by mappings, e.g.:
 - Doctor→SELECT Name FROM DoctorPatient→SELECT Name FROM Patient
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- Relationship between ontology and DB defined by mappings, e.g.:

Doctor	\mapsto	SELECT Name FROM Doctor
Patient	\mapsto	SELECT Name FROM Patient
treats	\mapsto	SELECT DName, PName FROM Treats

UCQ translated into SQL query:

 $Q(x) \leftarrow (\mathsf{treats}(x,y) \land \mathsf{Patient}(y)) \lor \mathsf{Doctor}(x) \lor \mathsf{Consultant}(x)$

SELECT Name FROM Doctor UNION SELECT DName FROM Treats, Patient WHERE PName=Name





- Combining best features of DLs & DBs
 - In particular, integrating OWA and CWA
- Hard to find a coherent semantic framework
 - Problems mainly due to existential quantifiers: should existentially implied objects be considered different?
 - Does a person owning a phone and an ipod own 2 things?
 - Does a person owning a phone and an iphone own 2 things?
 - Does a person owning a phone and a phone own 2 things?
- Interesting ideas emerging in DL & DB communities, e.g.:
 - Calì et al. Datalog±: a unified approach to ontologies and integrity constraints. ICDT 2009.
 - Motik et al. Bridging the gap between OWL and relational databases. WWW 2007.



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 - Larger fragments require (at least) Datalog engines and/or extension to technique (e.g., partial materialisation)
 - Promising new work in this area, see, e.g., *Lutz et al. Conjunctive Query Answering in the Description Logic EL Using a Relational Database System. IJCAI 2009.*



• Infrastructure



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- Yevgeny Kazakov
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- Birte Glimm













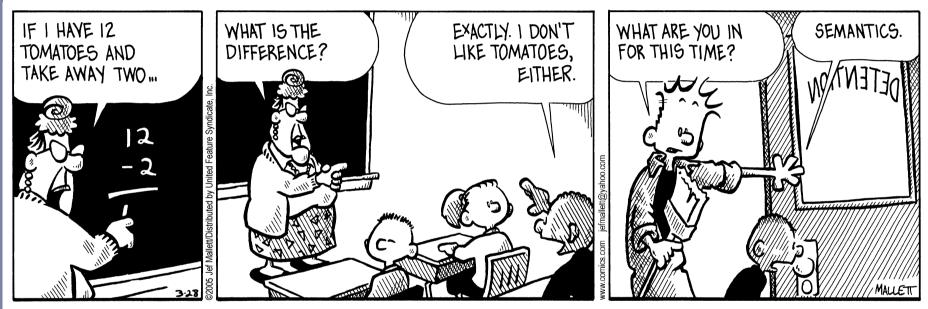


Thank you for listening





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Any questions?

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