

An introduction to  
**Haskell2L<sub>A</sub>T<sub>E</sub>X**

Ian Lynagh  
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## Literate programming

I believe that the time is ripe for significantly better documentation of programs, and that we can best achieve this by considering programs to be works of literature. Hence, my title: “Literate Programming.”

Let us change our traditional attitude to the construction of programs: Instead of imagining that our main task is to instruct a computer what to do, let us concentrate rather on explaining to human beings what we want a computer to do.

– Donald E. Knuth, “Literate Programming”, 1984

**Objective**

Transform this:

```
\begin{code}
qsort :: [a] -> [a]
qsort []      = []
qsort (x:xs) = qsort xs_lt_x ++ [x] ++ qsort xs_greq_x
    where xs_lt_x    = [y | y <- xs, y < x]
          xs_greq_x = [y | y <- xs, y >= x]
\end{code}
```

into this:

```
qsort :: [α] → [α]
qsort []      = []
qsort (x:xs) = qsort xs_lt_x ++ [x] ++ qsort xs_greq_x
    where xs_lt_x = [y | y ← xs, y < x]
          xs_greq_x = [y | y ← xs, y ≥ x]
```

**Haskell**

Haskell is...

- ☞ the language to be pretty-printed
  - ⇒ The source format has some support for literate programming
- ☞ the language the pretty-printer will be written in
  - ⇒ Well suited to parsing and tree manipulation
  - ⇒ Could you seriously consider anything else?

**$\text{\TeX}$  and  $\text{\LaTeX}$** 

- ➡ Literate Haskell makes targeting the  $\text{\TeX}$  family slightly easier

```
\usepackage{verbatim}
```

```
\newenvironment{code}{\verbatim}{\endverbatim}
```

- ➡ The  $\text{\TeX}$  family have the mathematical symbols commonly used in typesetting Haskell, e.g.  $\rightarrow$ ,  $\geq$
- ➡ Using  $\text{\LaTeX}$  allows you to write your documentation in exactly the same way as you (probably!) write your papers etc.

## Parsing

Haskell is...

- ☞ Much of the art and science of parsing dates from the 70s and 80s
  - ⇒ Lexical analysis then syntactic analysis
  - ⇒ Top-down vs botom-up
- ☞ Parser combinators provide a nice way of writing top-down parsers in H<sup>O</sup>T languages
  - ⇒ Take a list of symbols and return a value
  - ⇒ Provide primitive parsers, e.g. Fail, Succeed, Match
  - ⇒ Provide a number of combinators, e.g. Choice, Sequential Composition

## Existing pretty-printers

☞ Haskell Style for LaTeX2e

⇒ For manual typesetting

☞ `haskell.sty`

⇒ Easily confused, e.g. `<=>` pretty-prints as  $\leq$

☞  $\lambda\text{T}\text{E}\text{X}$

⇒ Forces certain styles on you or indents incorrectly

☞ `lhs2tex`

⇒ The most impressive, but still limited by only lexing the input

☞ Related programs

⇒ `detex`, `enscript`, `HDoc`, `HaskellDoc`, The Haskell Module Browser

## Haskell2 $\text{L}\text{A}\text{T}\text{E}\text{X}$ Structure

### ☞ Parsing Haskell

⇒ Unlitting

⇒ Lexing

⇒ Layout rule

⇒ Fixity annotation

⇒ Syntax analysing

### ☞ Pretty-printing the abstract syntax tree



## Unlitting

☞ `unlit :: Bool → String → [Either String (String, [(Char, Position)], Position)]`

☞ `.hs` files:

⇒ Do nothing!

☞ `.lhs` files:

⇒ Extract the contents of `\begin{code}... \end{code}` blocks

⇒ Take all lines beginning with `>` and replace the leading `>` with a space

⇒ Keep the position info!

## Parser Combinator library types

☞ **type** Parser  $\alpha$  = String  $\rightarrow$  Maybe ( $\alpha$ , Int, String)

☞ **type** Parser  $\alpha$   $\beta$  = [ $\alpha$ ]  $\rightarrow$  Maybe ( $\beta$ , Int, [ $\alpha$ ])

☞ **type** Parser  $\alpha$   $\beta$  = [( $\alpha$ , Position)]  $\rightarrow$  Parsed  $\alpha$   $\beta$

**data** Parsed  $\alpha$   $\beta$  = Success  $\beta$  Int [( $\alpha$ , Position)]

| Failure Position

**Parser Combinator library**

☞ Primitives:

$pPred :: (\alpha \rightarrow \text{Bool}) \rightarrow \text{Parser } \alpha \ \alpha$

$pFail :: \text{Parser } \alpha \ \beta$

$pSucceed :: \beta \rightarrow \text{Parser } \alpha \ \beta$

$(\langle | \rangle) :: \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \beta$

$(\langle * \rangle) :: \text{Parser } \alpha \ (\beta \rightarrow \gamma) \rightarrow \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \gamma$

$(\langle ! \rangle) :: \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \gamma \rightarrow \text{Parser } \alpha \ \beta$

☞ Derived:

$(\langle * \rangle) :: \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \gamma \rightarrow \text{Parser } \alpha \ \beta$

$(\langle \$ \rangle) :: (\beta \rightarrow \gamma) \rightarrow \text{Parser } \alpha \ \beta \rightarrow \text{Parser } \alpha \ \gamma$

$(\langle \$ \rangle) :: \beta \rightarrow \text{Parser } \alpha \ \gamma \rightarrow \text{Parser } \alpha \ \beta$

**Parser Combinator library (cont.)**

➡ Larger parsers:

$pSym :: Eq\ \alpha \Rightarrow \alpha \rightarrow Parser\ \alpha\ \alpha$

$pSyms :: Eq\ \alpha \Rightarrow [\alpha] \rightarrow Parser\ \alpha\ [\alpha]$

$opt :: Parser\ \alpha\ \beta \rightarrow \beta \rightarrow Parser\ \alpha\ \beta$

$pPredHolds :: (\alpha \rightarrow Bool) \rightarrow Parser\ \alpha\ Bool$

$pMaybe :: Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ (Maybe\ \beta)$

$pList :: Int \rightarrow Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ [\beta]$

$pSList :: Bool \rightarrow Int \rightarrow Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ \gamma \rightarrow Parser\ \alpha\ ([Either\ \beta\ \gamma])$

➡ Position handling:

$keep\_pos :: Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ (\beta, Position)$

$(<\&>) :: (\beta \rightarrow \gamma) \rightarrow Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ (\gamma, Position)$

$(<\&) :: \beta \rightarrow Parser\ \alpha\ \gamma \rightarrow Parser\ \alpha\ (\beta, Position)$

## Derived parsers implementation

$opt :: Parser\ \alpha\ \beta \rightarrow \beta \rightarrow Parser\ \alpha\ \beta$   
 $p\ 'opt'\ v = p\ <|>$  **if**  $accepts\_empty\ p$   
                                   **then**  $pFail$   
                                   **else**  $pSucceed\ v$

$pList :: Int \rightarrow Parser\ \alpha\ \beta \rightarrow Parser\ \alpha\ [\beta]$   
 $pList\ _\ p$   
       |  $accepts\_empty\ p = error\ "Tried\ to\ make\ a\ list\ of\ empties"$   
 $pList\ 0\ p = pList\ 1\ p\ 'opt'\ []$   
 $pList\ (i + 1)\ p = (:) <\$> p <*> pList\ i\ p$

**Problem with position detection**

```
Hugs session for:
/usr/share/hugs98/lib/Prelude.hs
Position.lhs
PCbase.lhs
PC.lhs
PC> id <$ pSym '{' <*> pList 0 (pSyms "abcd") <* pSym '}' $ posify "{abcdabcdabcd}"
Success ["abcd","abcd","abcd"] 14 []
PC> id <$ pSym '{' <*> pList 0 (pSyms "abcd") <* pSym '}' $ posify "{abcdabcdabd}"
Failure (Position 1 10)
```

## Solution: Fix the datastructure

```
data Parsed  $\alpha$   $\beta$  = Success ( $\beta$ , Int, [( $\alpha$ , Position)], Position)
    | Failure Position
```

```
type Parser  $\alpha$   $\beta$  = [( $\alpha$ , Position)]  $\rightarrow$  Parsed  $\alpha$   $\beta$ 
```

```
pFail :: Parser  $\alpha$   $\beta$ 
pFail =  $\lambda$  inp  $\rightarrow$  Failure (get_pos inp)
```

```
pSucceed ::  $\beta$   $\rightarrow$  Parser  $\alpha$   $\beta$ 
pSucceed v =  $\lambda$  inp  $\rightarrow$  Success (v, 0, inp, get_pos inp)
```

```
pPred :: ( $\alpha$   $\rightarrow$  Bool)  $\rightarrow$  Parser  $\alpha$   $\alpha$ 
pPred f =  $\lambda$  inp  $\rightarrow$  case inp of
    []  $\rightarrow$  Failure end_of_file
    ((t, p):inp')  $\rightarrow$  if f t
        then Success (t, 1, inp', get_pos inp')
        else Failure p
```

$(<|>) :: (\text{Show } \alpha) \Rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta$   
 $p <|> q = \lambda \text{ inp} \rightarrow$   
     **case**  $(p \text{ inp}, q \text{ inp})$  **of**  
          $(\text{Success } s1, \text{Success } s2) \rightarrow$  **case**  $\text{num } s1 \text{ 'compare' num } s2$  **of**  
             GT  $\rightarrow \text{succeed } s1 (\text{pos } s2)$   
             LT  $\rightarrow \text{succeed } s2 (\text{pos } s1)$   
             EQ  $\rightarrow \text{Failure } (\text{get\_pos } \text{inp})$   
          $(\text{Success } s1, \text{Failure } \text{pos}2) \rightarrow \text{succeed } s1 \text{ pos}2$   
          $(\text{Failure } \text{pos}1, \text{Success } s2) \rightarrow \text{succeed } s2 \text{ pos}1$   
          $(\text{Failure } \text{pos}1, \text{Failure } \text{pos}2) \rightarrow \text{Failure } \$! \text{ fp}$   
             **where**  $\text{fp} = \text{furthest\_pos } \text{pos}1 \text{ pos}2$   
     **where**  $\text{succeed } (v, n, \text{inp}, \text{pos}) \text{ pos}' = \text{fp 'seq' Success } (v, n, \text{inp}, \text{fp})$   
         **where**  $\text{fp} = \text{furthest\_pos } \text{pos } \text{pos}'$

$(<*>) :: \text{Parser } \alpha (\beta \rightarrow \gamma) \rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \gamma$   
 $p1 <*> p2 = \lambda \text{ inp} \rightarrow$   
     **case**  $p1 \text{ inp}$  **of**  
         Failure  $\text{pos}1 \rightarrow \text{Failure } \text{pos}1$   
         Success  $s1 \rightarrow$  **case**  $p2 (\text{rinp } s1)$  **of**  
             Failure  $\text{pos}2 \rightarrow \text{Failure } \$! \text{ fp}$   
                 **where**  $\text{fp} = \text{furthest\_pos } (\text{pos } s1) \text{ pos}2$   
             Success  $s2 \rightarrow \text{Success } (\text{seq\_comp } s1 \text{ s}2)$   
     **where**  $\text{seq\_comp } (v1, n1, \_, \text{pos}1) (v2, n2, r, \text{pos}2) = \text{fp 'seq' } (v1 \text{ v}2, n1 + n2, r, \text{fp})$   
         **where**  $\text{fp} = \text{furthest\_pos } \text{pos}1 \text{ pos}2$



## Optimisation 1

$(<|) :: \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta$

$p1 <| p2 = \lambda inp \rightarrow$

**case**  $(p1\ inp, p2\ inp)$  **of**

$(\text{Success } r1, \_) \rightarrow \text{Success } r1$

$(\text{Failure } pos1, \text{Success } (v2, n2, inp2, pos2)) \rightarrow fp\ \text{'seq'}\ \text{Success } (v2, n2, inp2, fp)$

**where**  $fp = \text{furthest\_pos } pos1\ pos2$

$(\text{Failure } pos1, \text{Failure } pos2) \rightarrow \text{Failure } \$!\ fp$

**where**  $fp = \text{furthest\_pos } pos1\ pos2$

$(|>) :: \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha \beta$

$p1\ |>\ p2 = p2\ <|\ p1$

## Optimisation 2

**type** SParsed  $\alpha \beta = (\beta, \text{Int}, [(\alpha, \text{Position})], \text{Position})$

**data** Parsed  $\alpha \beta = \text{Success (SParsed } \alpha \beta)$   
                   | Failure Position

**type** SParser  $\alpha \beta = [(\alpha, \text{Position})] \rightarrow \text{SParsed } \alpha \beta$

**type** Parser  $\alpha \beta = [(\alpha, \text{Position})] \rightarrow \text{Parsed } \alpha \beta$

$pList :: \text{Int} \rightarrow \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha [\beta]$

$pList\ 0\ p = pList0\ p$

$pList\ (i + 1)\ p = (:) \langle \$ \rangle p \langle * \rangle pList\ i\ p$

$pList0 :: \text{Parser } \alpha \beta \rightarrow \text{Parser } \alpha [\beta]$

$pList0\ p = \lambda\ inp \rightarrow \text{Success } (pListS\ p\ inp)$

$pListS :: \text{Parser } \alpha \beta \rightarrow \text{SParser } \alpha [\beta]$

$pListS\ p = \lambda\ inp \rightarrow$

**case**  $p\ inp$  **of**

    Success  $(v1, n1, inp1, pos1) \rightarrow fp\ \text{'seq' } (v1:v2, n1 + n2, inp2, fp)$

**where**  $(v2, n2, inp2, pos2) = pListS\ p\ inp1$

$fp = furthest\_pos\ pos1\ pos2$

    Failure  $pos \rightarrow ([], 0, inp, pos)$

**Lexing**

*ascDigit* → 0 | 1 | ... | 9

*lexc\_ascDigit* :: Parser Char Char  
*lexc\_ascDigit* = *pPred isDigit*

*charesc* → a | b | f | n | r | t | v | \ | " | ' | &

*lexs\_charesc* :: Parser Char String  
*lexs\_charesc* = *wrap* <\$> *lexc\_charesc*

*lexc\_charesc* :: Parser Char Char  
*lexc\_charesc* = *pSym* 'a' <| *pSym* 'b' <| *pSym* 'f' <| *pSym* 'n' <| *pSym* 'r' <| *pSym* 't' <| *pSym* 'v' <|  
*pSym* '\\ ' <| *pSym* '"' <| *pSym* '\'' <| *pSym* '&

## More lexing

*varid* → (*small* {*small* | *large* | *digit* | ' })<sub><reservedid></sub>  
*conid* → *large* {*small* | *large* | *digit* | ' }

*id\_body* :: Parser Char Char

*id\_body* = *lexc\_small* <| *lexc\_large* <| *lexc\_digit* <| *pSym* '\'

*lexs\_varid* :: Parser Char String

*lexs\_varid* = (:) <\$> *lexc\_small* <\*> *pList* 0 *id\_body* <!> *lext\_reservedid*

*lexs\_conid* :: Parser Char String

*lexs\_conid* = (:) <\$> *lexc\_large* <\*> *pList* 0 *id\_body*

*reservedop* → .. | : | :: | = | \ | | | <- | -> | @ | ~ | =>

*lext\_reservedop* :: Parser Char (Token, Position)

*lext\_reservedop* = *ReservedOp* <&> *lexs\_reservedop*

*lexs\_reservedop* :: Parser Char String

*lexs\_reservedop* = *pSyms* ".." |> *pSyms* ":" |> *pSyms* "::" |> *pSyms* "=" |> *pSyms* "\\\" |> *pSyms* "\"" |> *pSyms* "<-\" |> *pSyms* "->\" |> *pSyms* "@" |> *pSyms* "~\" |> *pSyms* "=>\"

**Layout rule**

2 stages:

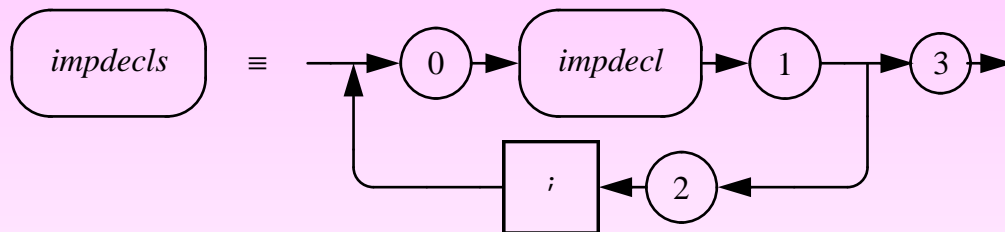
- ☞ Indent marking: Almost-code given in the report
- ☞ Applying the rule: Almost-code given in the report

But! One of the conditions is parse-error(t)!

Solution: Make an automaton for the (slightly simplified) Haskell grammar and step it each symbol

Automaton constructed automatically from a CFG-like description

Can also automatically create diagrams of the sub-automata, e.g.:



## Fixity information

- ➡ Conceptually very simple
- ➡ Walk through the tree of blocks looking for fixity declarations, then apply them to the block and all child blocks
- ➡ Current code is a mess, but could be tidied up and made more efficient

**Syntactic analysis**

Similar to lexical analysis, but need to optimise a number of cases, e.g.:

Report:

$$\begin{array}{ccc} \mathit{exp} & \rightarrow & \mathit{exp0} \text{ :: } [\mathit{context} \Rightarrow] \mathit{type} \\ & | & \mathit{exp0} \end{array}$$

Optimised:

$$\mathit{exp} \rightarrow \mathit{exp0} \text{ [:: } [\mathit{context} \Rightarrow] \mathit{type}]$$

**Pretty-printing**

Straightforward recursion over the abstract syntax tree

*s\_op* “>=” = “\$\\ge\$”

*s\_tyvar* “a” = “\$\\alpha\$”

*text* = *concatMap* *escape*

*escape* ‘^’ = “\\^{}”

*pp\_VarID* *v* = “\\textit{” ++ *text* *v* ++ “\\/}”

*pp\_Idecl* (*ldecl\_var* *var* *rhs*, *semi*) = *pp\_Var* *var* ++ *pp\_Rhs* *rhs* *semi*

*pp\_Fixity* *Fixity\_infixl* = “\\HaskellToLaTeXkeyword{infixl}”

*pp\_Gd* (*Gd* *exp\_i*) = “\\HaskellToLaTeXguard{” ++ *pp\_Exp\_i* *exp\_i* ++ “}”



## Some numbers

Size	CPU time taken for lexical analysis
355k	0m44.240s
710k	1m29.760s
1420k	3m07.750s

Using normal or optimised <i>pList</i>	CPU time taken
Normal	10m39.840s
Optimised	6m16.180s

Source size	CPU time taken	Processing speed (variable size heap)
44k	1m20.600s	551 bytes per second
88k	2m43.620s	543 bytes per second
176k	5m31.870s	535 bytes per second
352k	11m14.850s	526 bytes per second
704k	23m24.520s	505 bytes per second

Source size	CPU time taken	Processing speed (fixed size heap (300M))
44k	1m14.170s	598 bytes per second
88k	2m25.540s	610 bytes per second
176k	4m52.170s	608 bytes per second
352k	9m42.200s	610 bytes per second
704k	19m22.840s	611 bytes per second

## The path

Original input:

```
foo x = y + z
  where y = 2 * x
        z = x + 3
```

After indent marking:

```
{1}foo x = y + z
  <5>where {11}y = 2 * x
          <11>z = x + 3
```

After layout:

```
{foo x = y + z
  where {y = 2 * x
        ; z = x + 3
  }}
}}
```

Parseable tokens:

```
{foox=y+zwhere{y=2*x;z=x+3}}
```

Code:

```
foo x = y + z
  where y = 2 × x
        z = x + 3
```

**That's all folks!**