

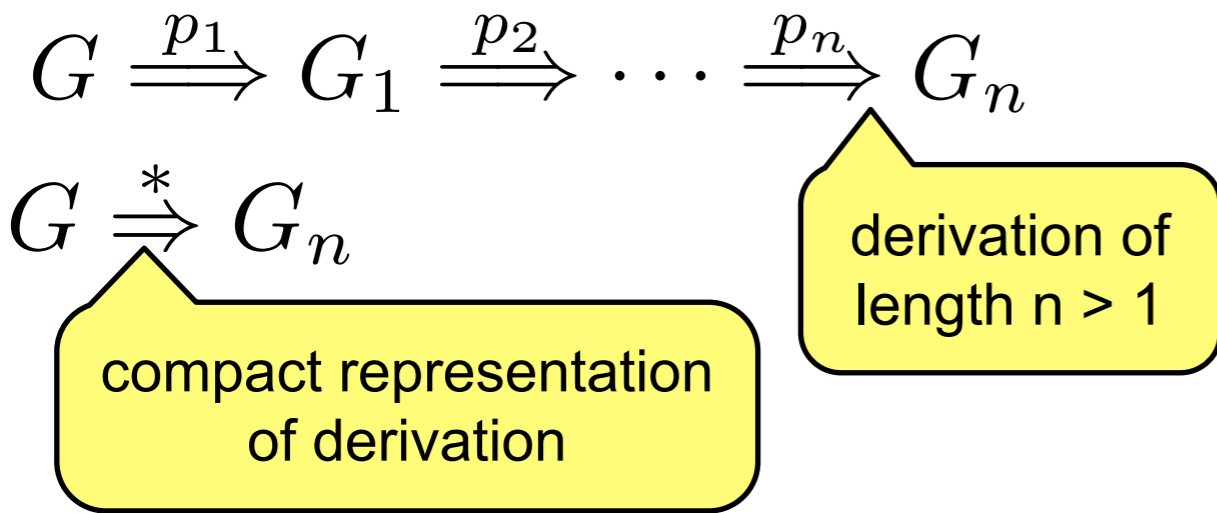
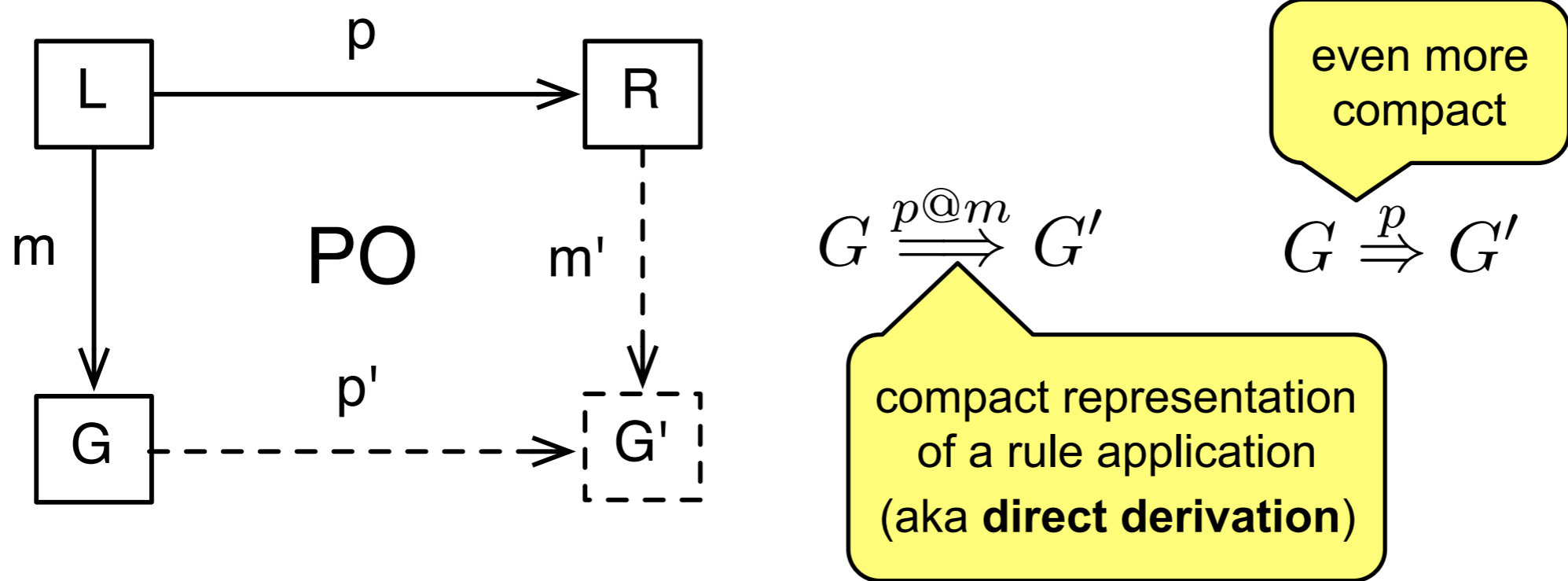


BX with Triple Graph Grammars

PART 3: FORMAL PROPERTIES



Formal Notation





$$G \xRightarrow{p_1} G_1 \xRightarrow{p_2} \dots \xRightarrow{p_n} G_n$$

$$G \xRightarrow{*} G_n$$

compact representation
of derivation

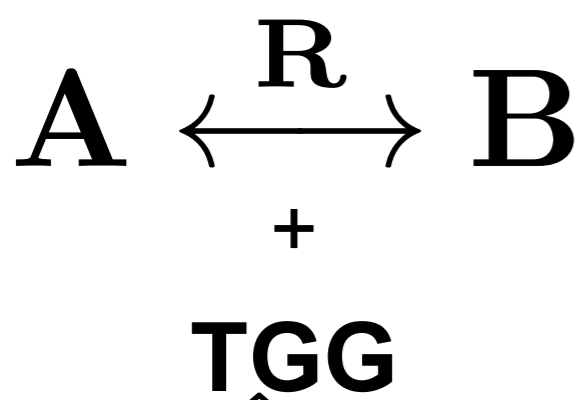
derivation of
length $n > 1$

compact notation for derivation
with rules of a TGG

$$G \xRightarrow{*} G' \in TGG \Leftrightarrow \exists G \xRightarrow{p_1} G_1 \xRightarrow{p_2} \dots \xRightarrow{p_n} G_n, \forall i \in \{1, \dots, n\}, p_i \in TGG$$



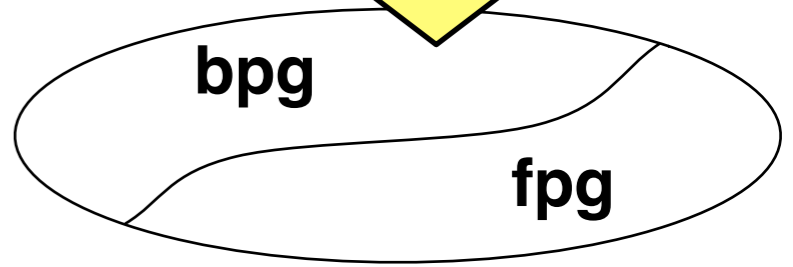
(Transformation) Correctness: Intuition




use rules specified by the user to characterise a subset of "consistent" triples



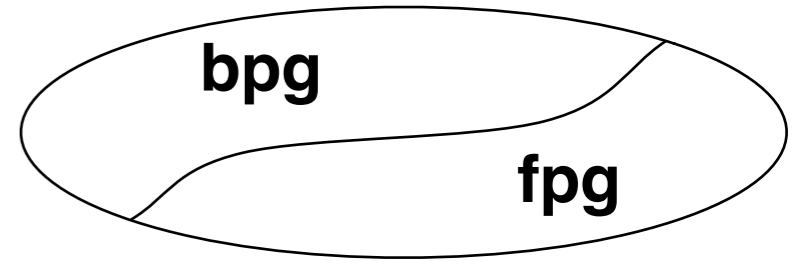
intuition: (fpg, bpg) should be consistent with its underlying TGG





(Transformation) Correctness: Notation

$$\begin{array}{ccc}
 \mathbf{A} & \xleftrightarrow{\mathbf{R}} & \mathbf{B} \\
 & + & \\
 & \mathbf{TGG} &
 \end{array}$$



$$\begin{array}{l}
 C = \{A \xleftrightarrow{r} B \mid \exists \emptyset \xRightarrow{*} A \xleftrightarrow{r} B \in TGG\} \\
 \subseteq \mathbf{R}
 \end{array}$$

just compact notation for consistent triples

use rules specified by the user to characterise a subset of "consistent" triples

$$A \xleftrightarrow{r} B \in C \Leftrightarrow A \xleftrightarrow{r:C} B$$

$$C_S = \{A \mid \exists A \xleftrightarrow{r:C} B\}$$

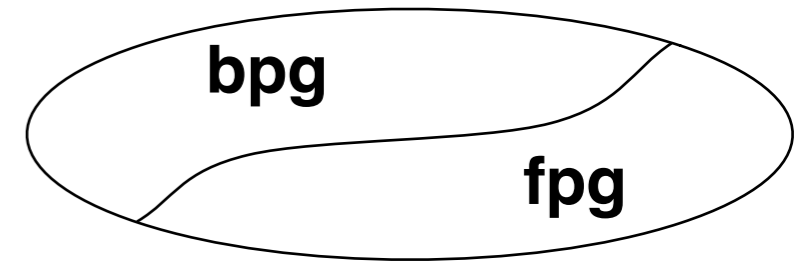
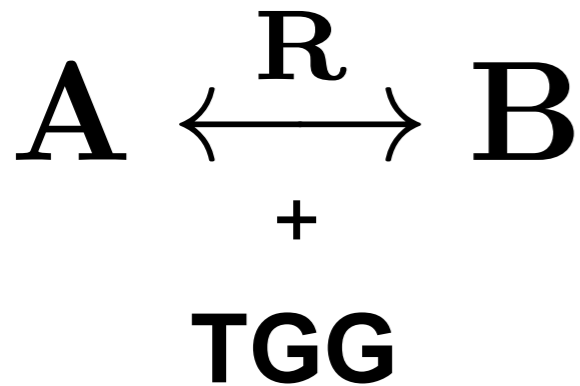
this is the set of all consistent source models (consistent target models analogously)

$$A : C_S \xrightarrow{a} A' : C_S$$

let's call such a source delta **consistent**

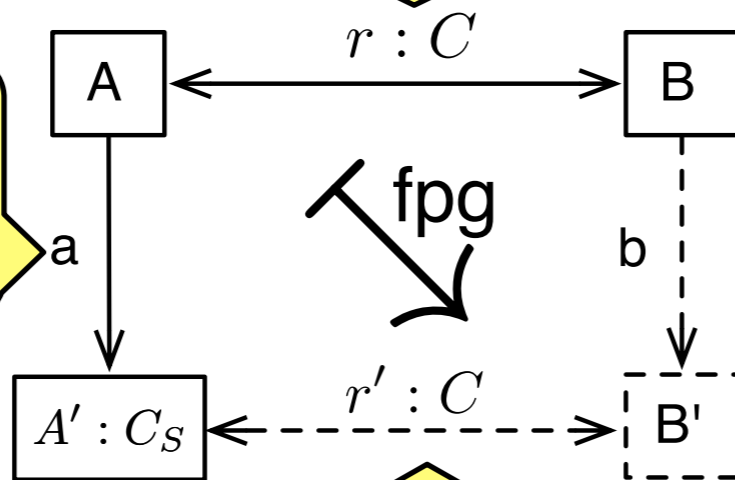


(Transformation) Correctness: Laws

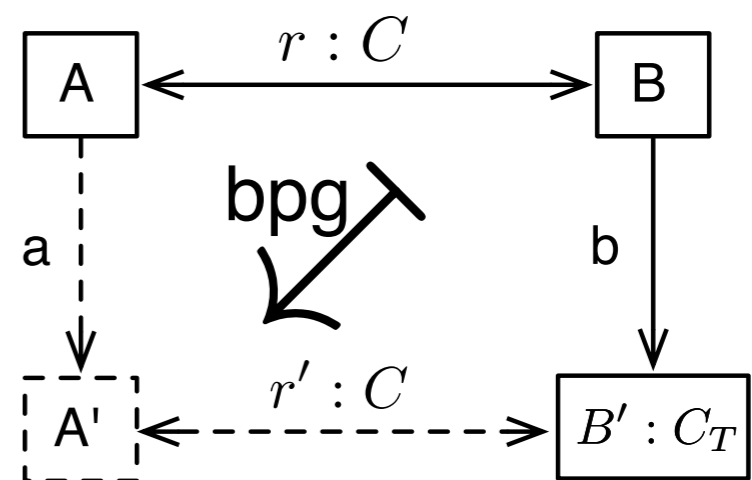


for a consistent triple

and a consistent source delta

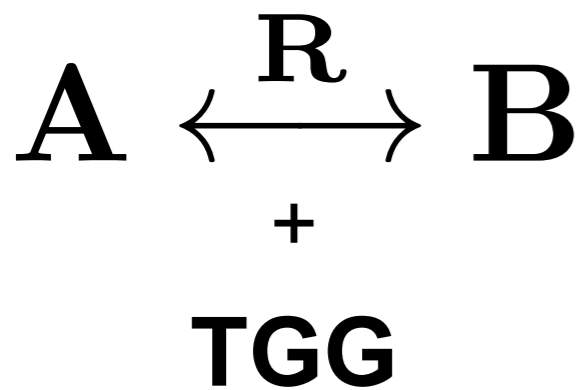


fpg is correct if it produces a consistent triple





(Transformation) Completeness



remember: the supplied TGG only covers a small subset of all deltas!

intuition: (fpg, bpg) should be defined for **any** consistent delta

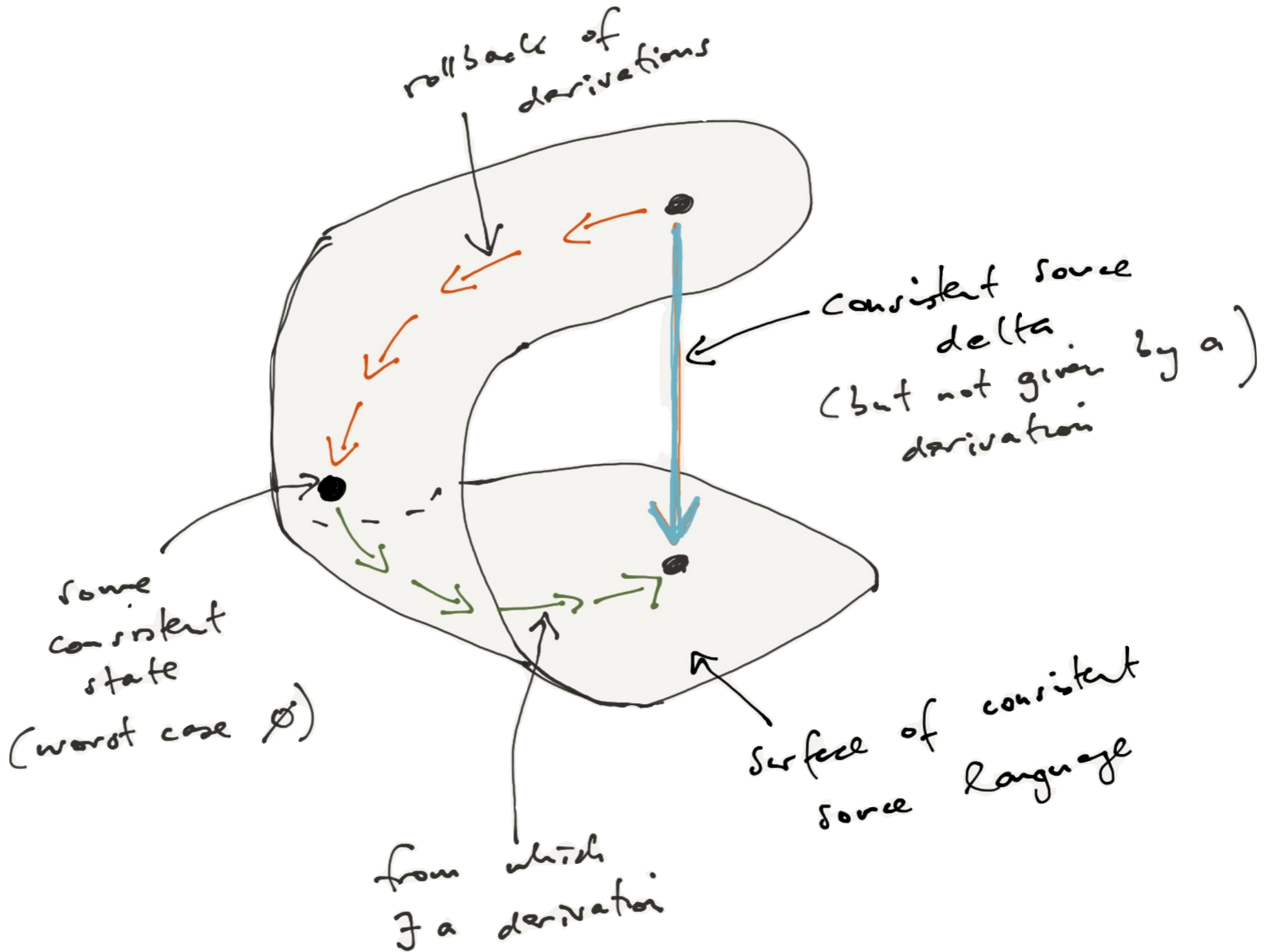


formally, completeness just means that (fpg, bpg) must be **total** on all consistent source/target models and consistent source/target deltas

Consistent source delta $\hat{=}$ Arrow connecting points on the surface

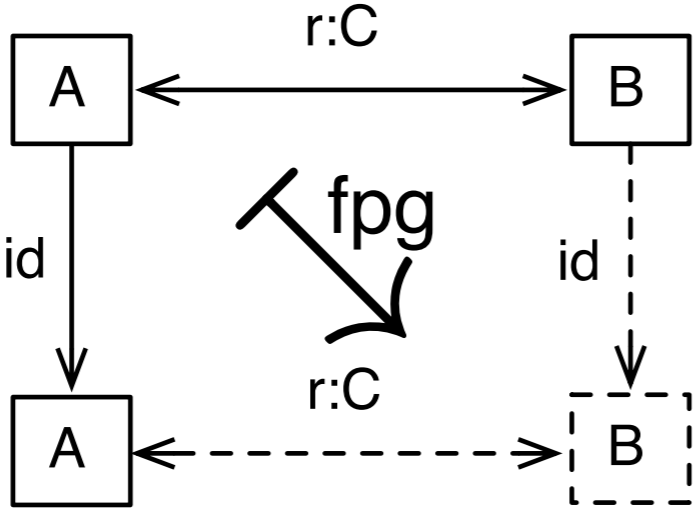
Completeness

$\hat{=}$ Synchroniser always finds a "path" along the surface for any consistent source delta

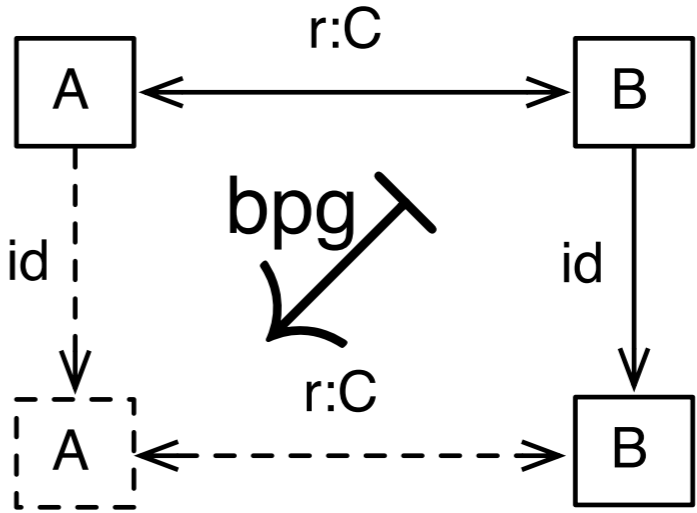




Stability

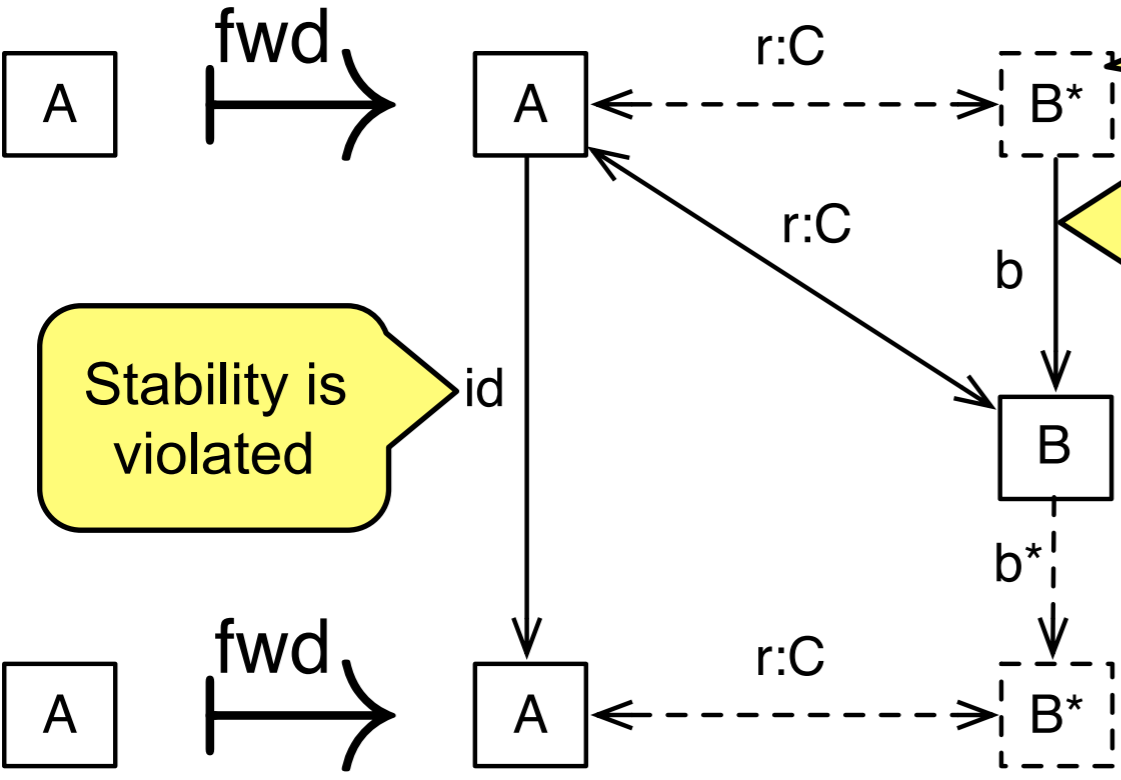


don't do anything for the "idle" delta



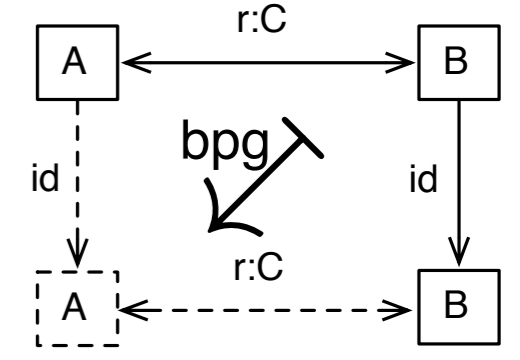
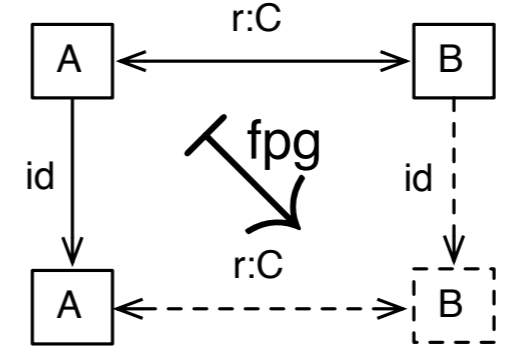
sounds trivial, but it rules out "batch mode" TGG tools

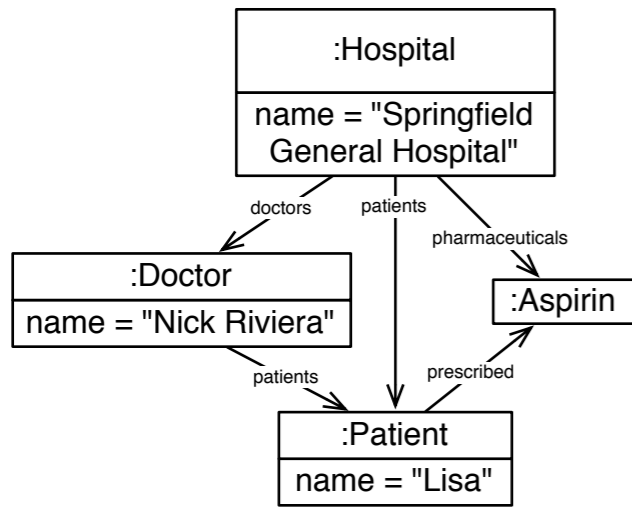
a batch forward transformation only takes the current source model as input



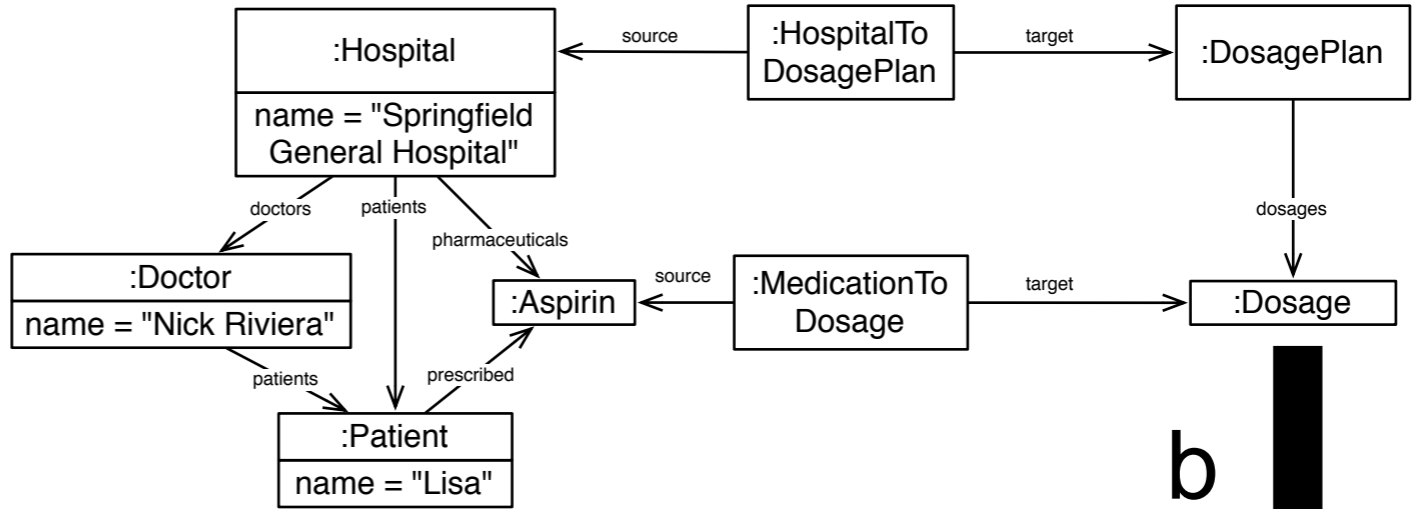
and extends it to a consistent triple

after target changes that do not affect consistency

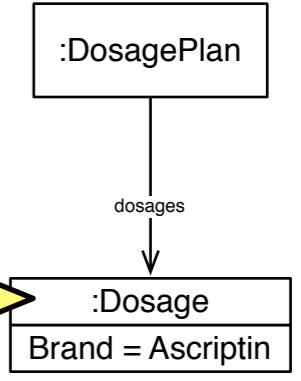
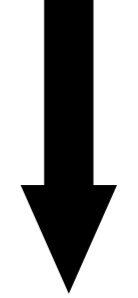




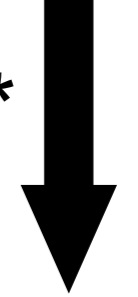
fwd



b

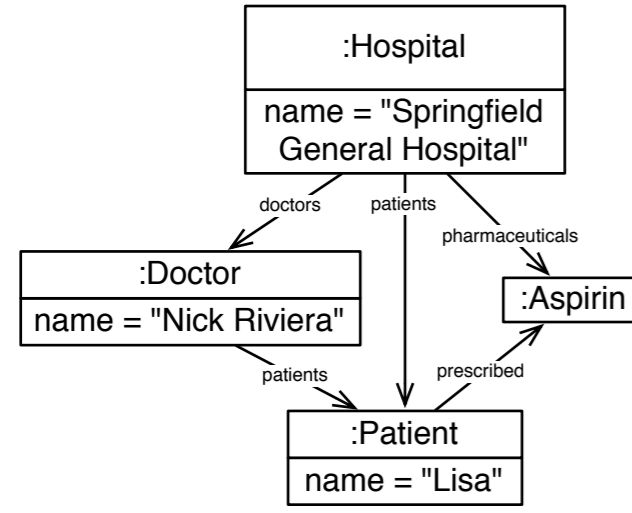


b*

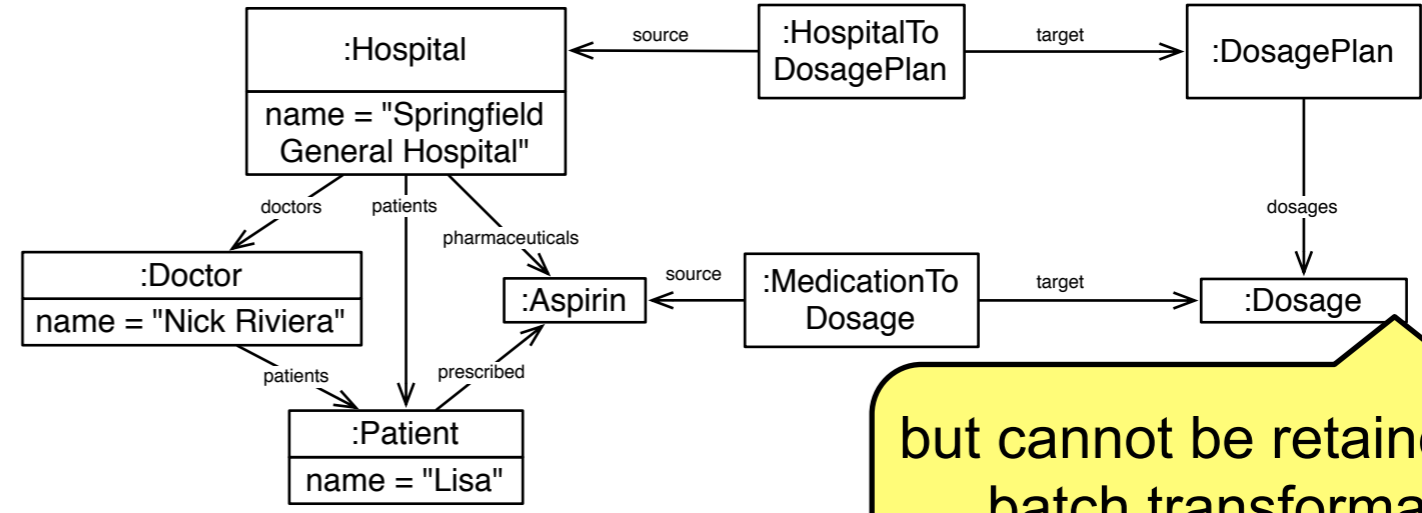


entering a concrete brand doesn't affect consistency

id



fwd



but cannot be retained by a batch transformation



1. Hippocraticness
2. (Weak) Undoability
3. (Weak) Invertibility
4. Functional Behaviour
5. Domain Correctness
6. Domain Completeness
7. Local Completeness
8. ...



1. Hippocraticness
2. (Weak) Undoability
3. (Weak) Invertibility
4. Functional Behaviour
5. Domain Correctness
6. Domain Completeness
7. Local Completeness
8. ...

Diskin et al. calls such
SDLs “well-behaved”

1. Hippocraticness
2. (Weak) Undoability
3. (Weak) Invertibility
4. Functional Behaviour
5. Domain Correctness
6. Domain Completeness
7. Local Completeness
8. ...

in **general** TGG-based synchronisation does not obey any of these laws ...

... but suitable **restrictions** can be posed to determine adequate subclasses of TGGs

TGGs offer a “playground” for exploring formal properties and how to guarantee them (statically or dynamically)

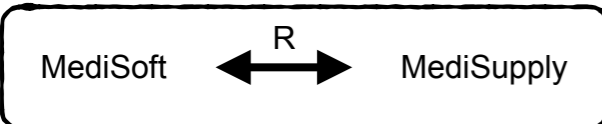


BX with Triple Graph Grammars

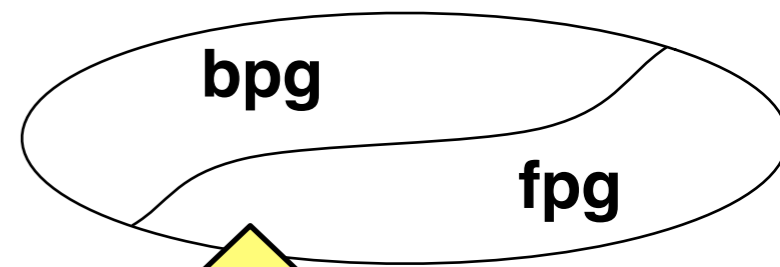
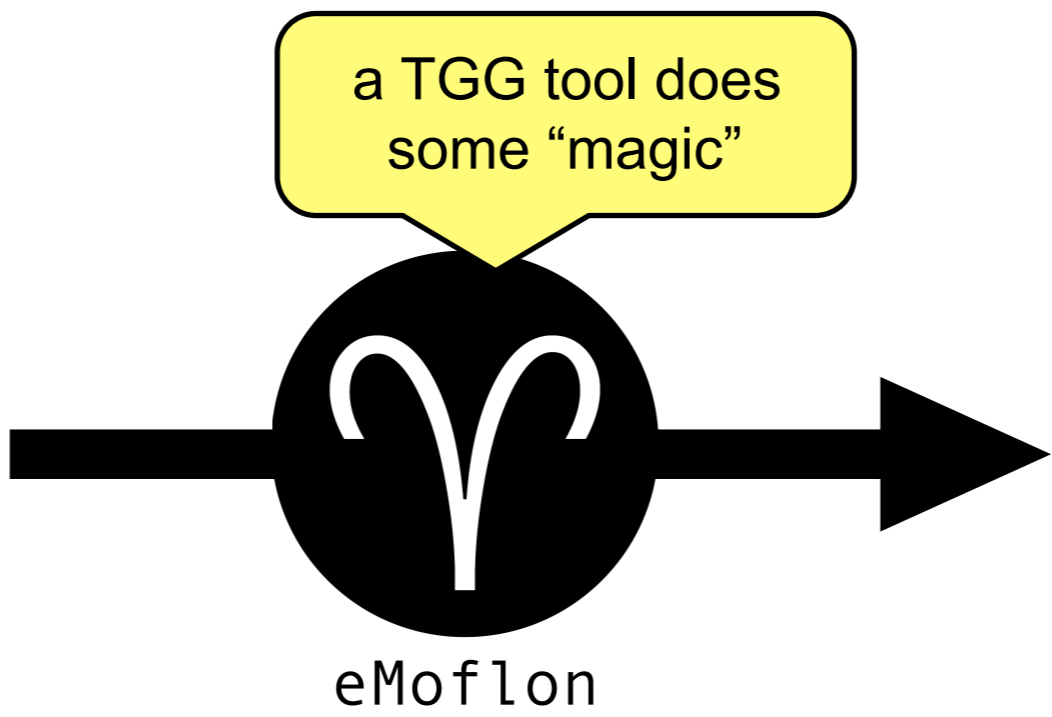
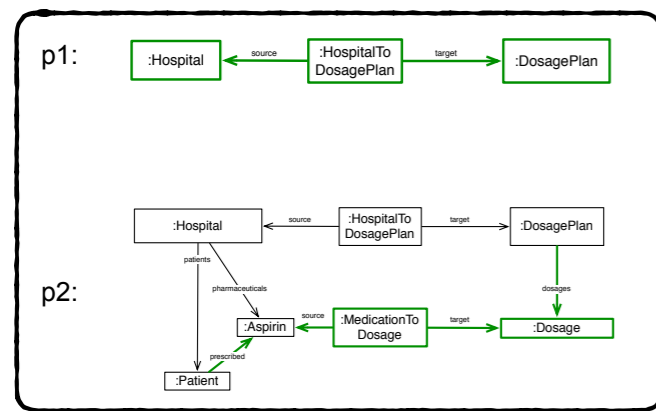
PART 4: FROM TGGS TO SDLS



What do TGG tools do?



+

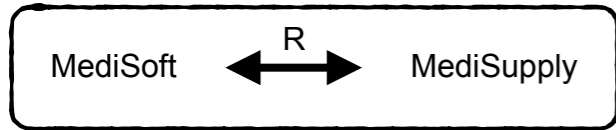


and produces a symmetric delta lens!

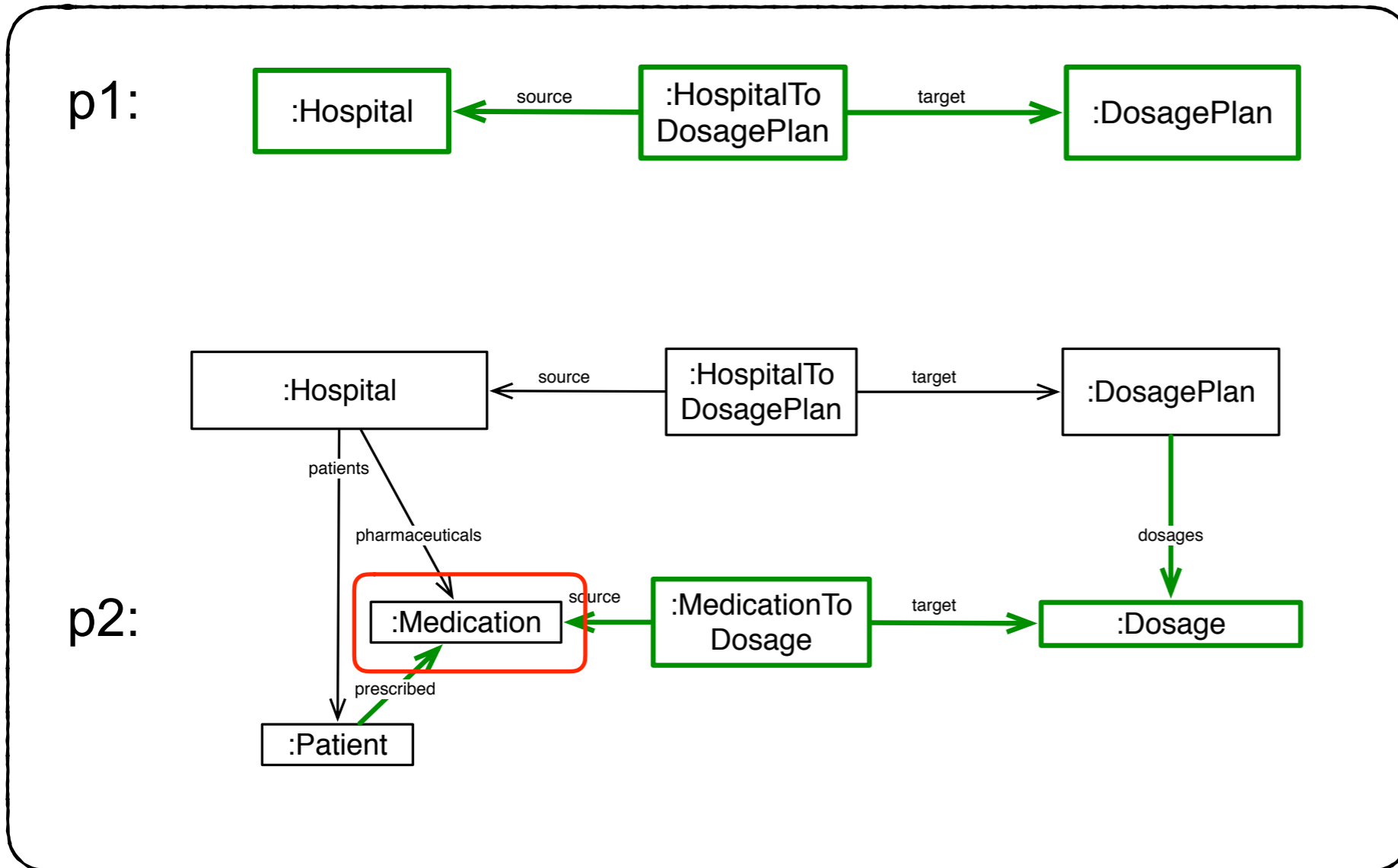
1. All arrows are **monomorphic** (injective)
(my head hurts otherwise)
2. Colours indicate deletion (red) and
creation (green)



Running Example

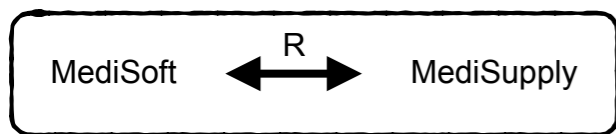


+

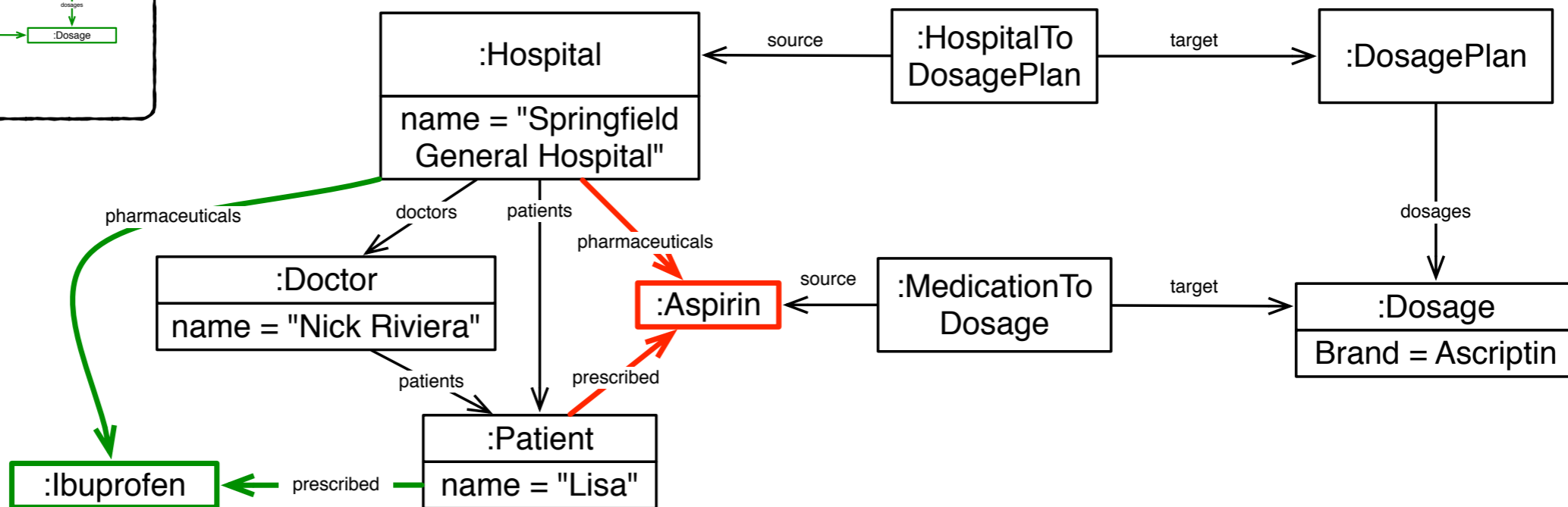
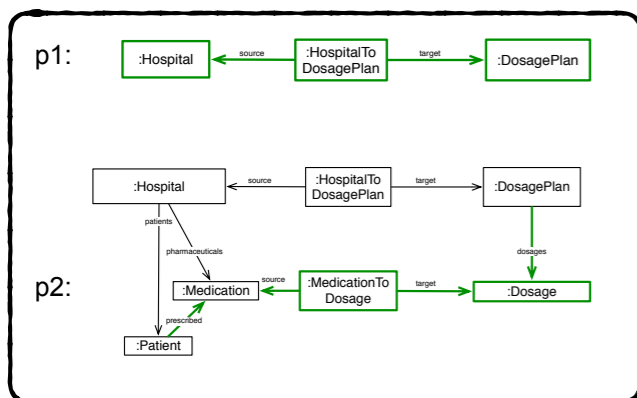




Running Example



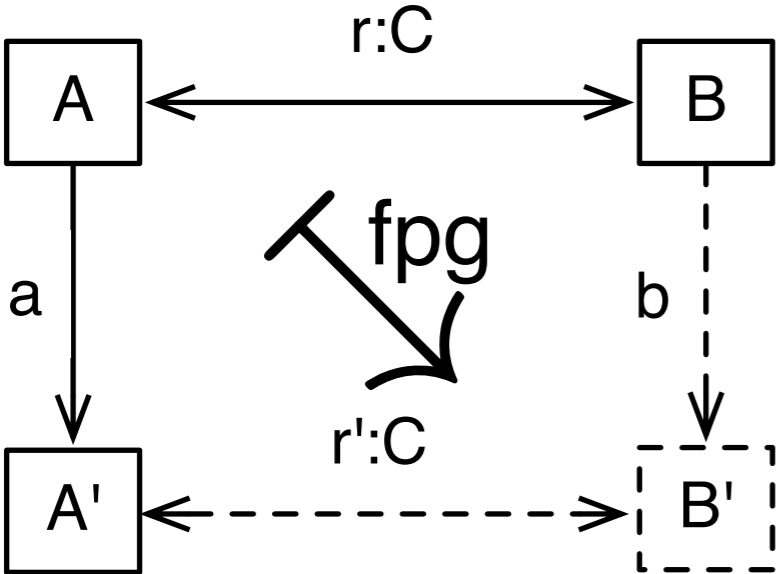
+



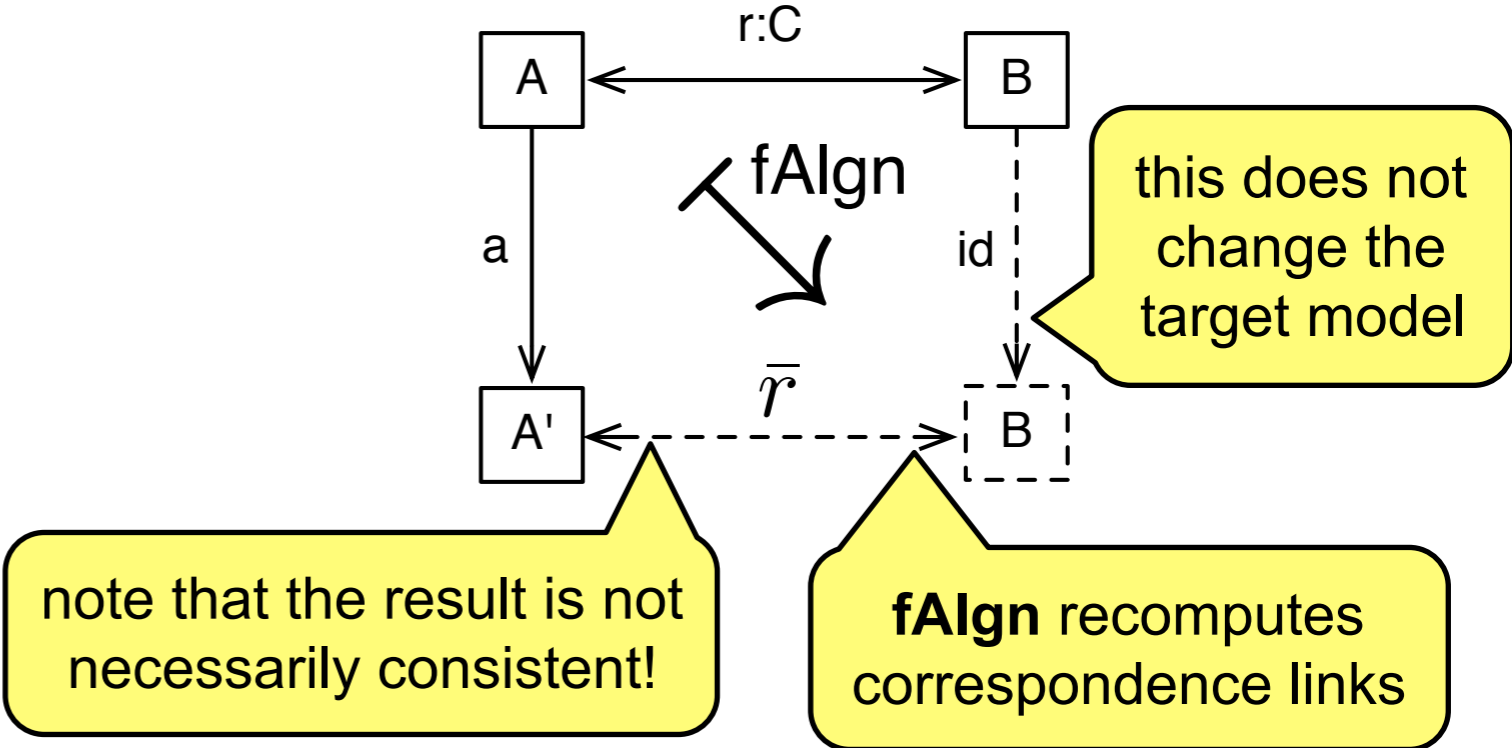


What do TGG tools do?

basic idea:
realise correct fpg
in three steps

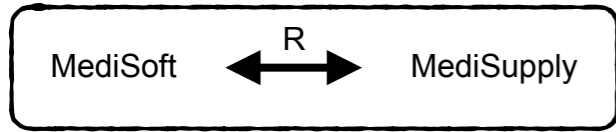


1. (Re-)Alignment:

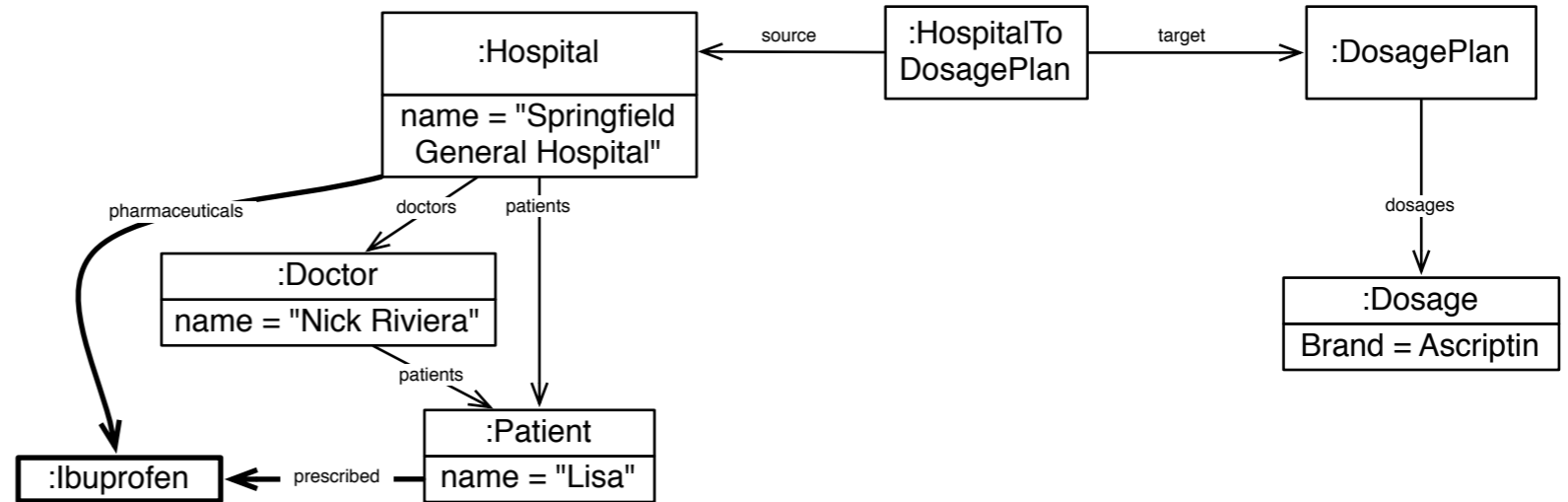
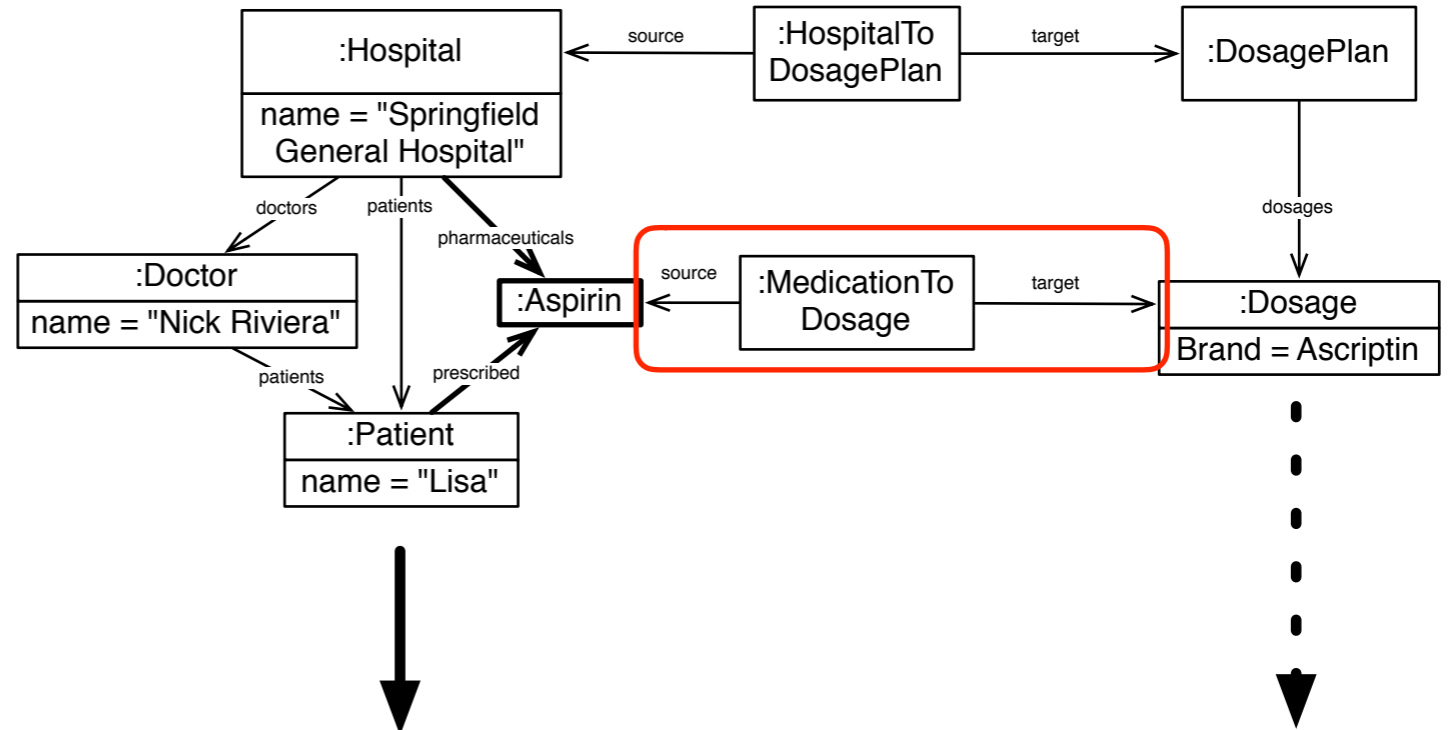
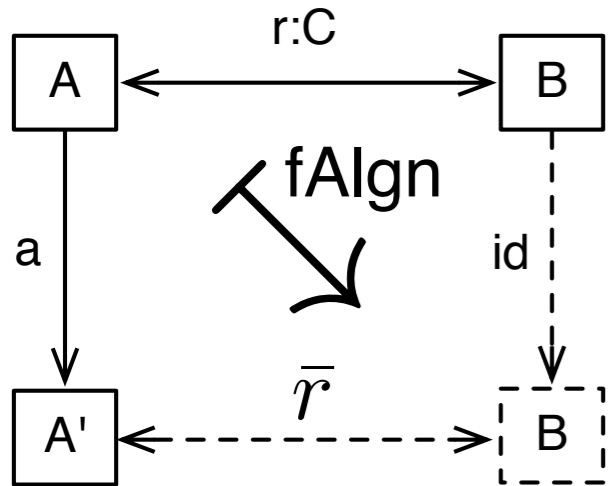
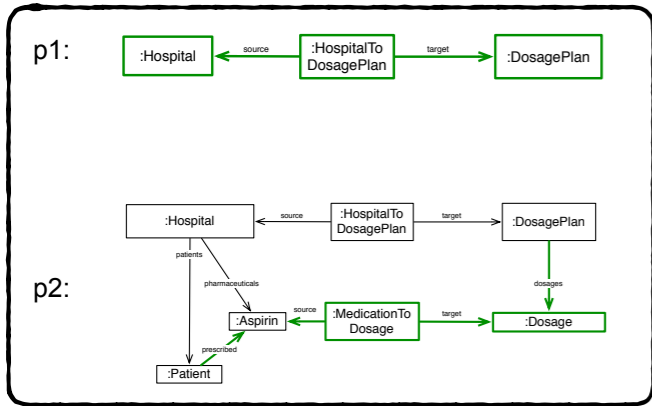




Running Example: Re-Alignment



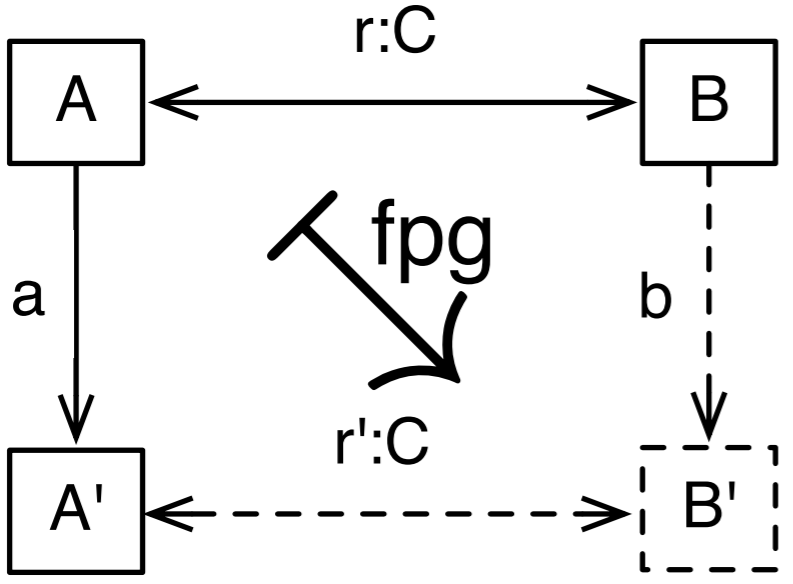
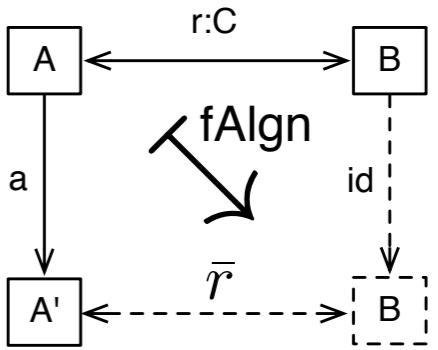
+



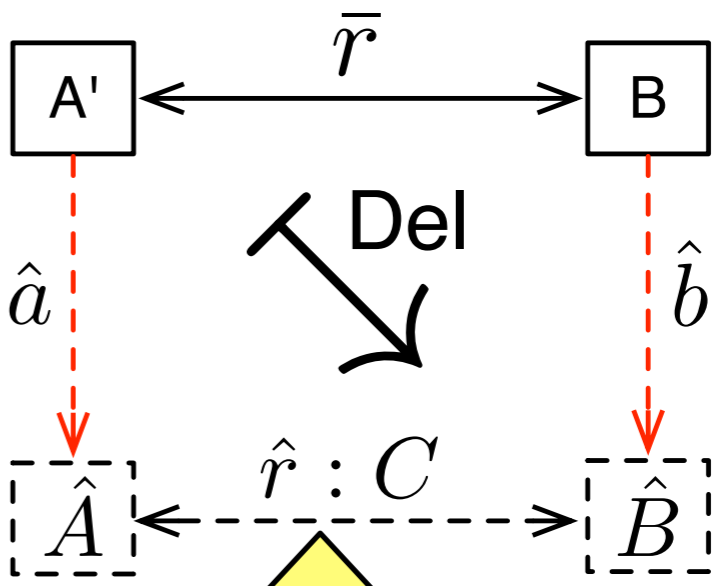


What do TGG tools do?

1. (Re-)Alignment:



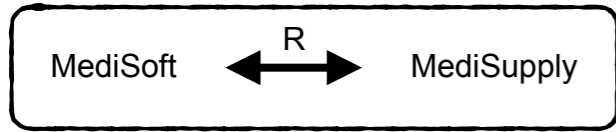
2. Rollback:



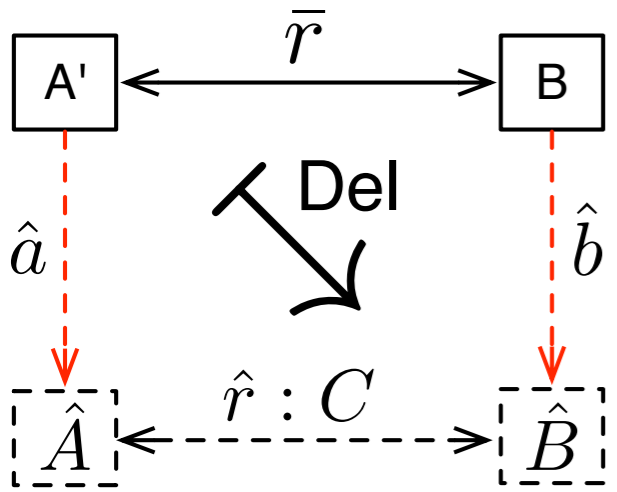
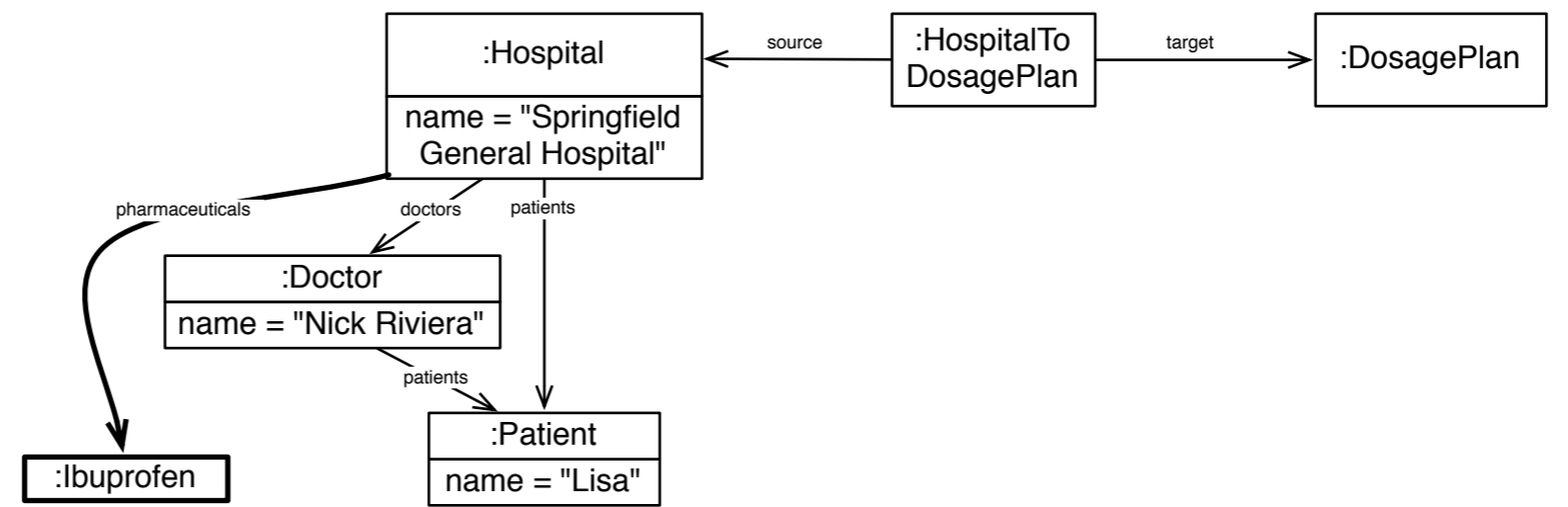
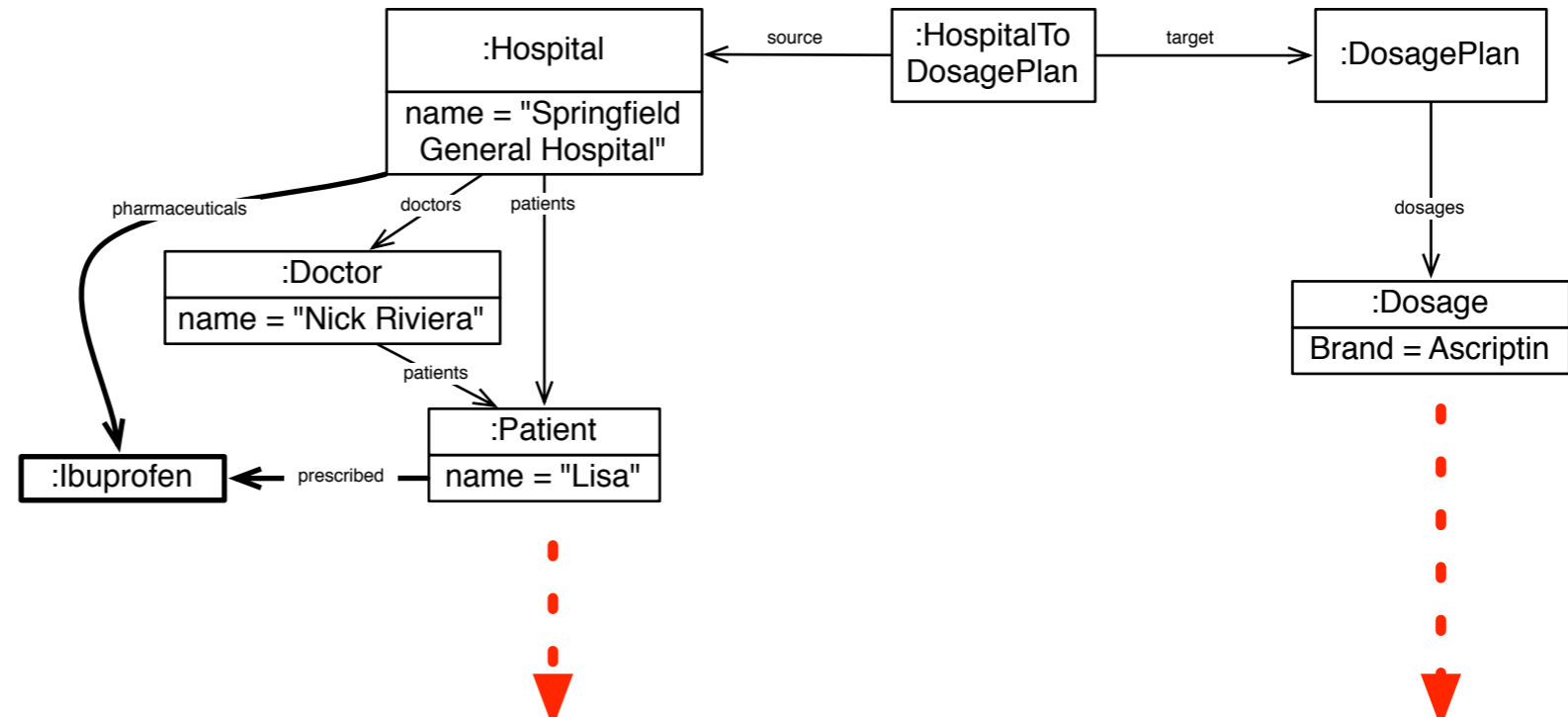
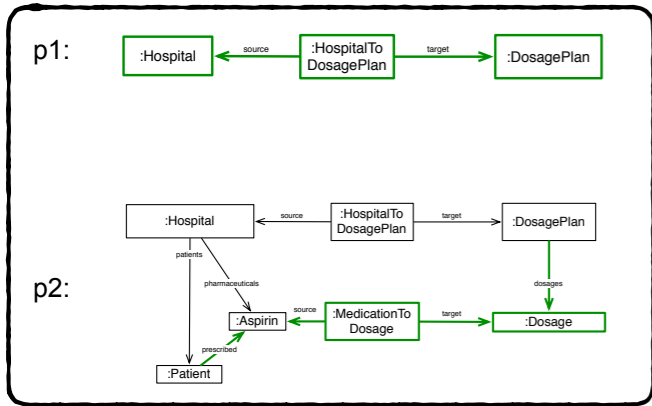
re-establish consistency by deleting elements



Running Example: Rollback

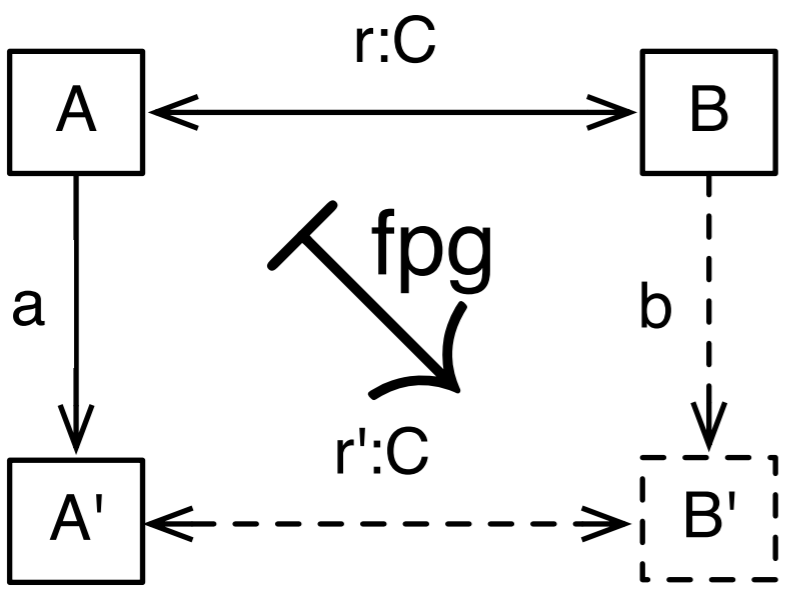


+

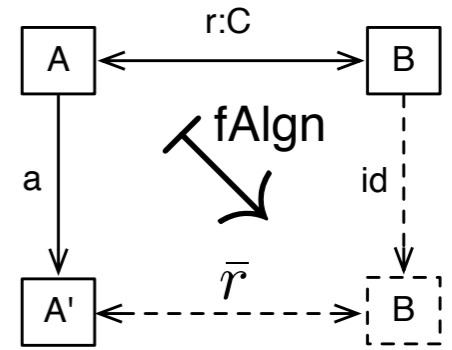




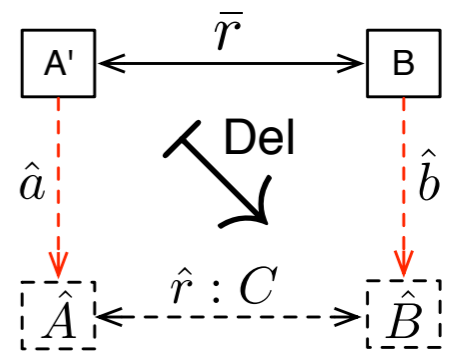
What do TGG tools do?



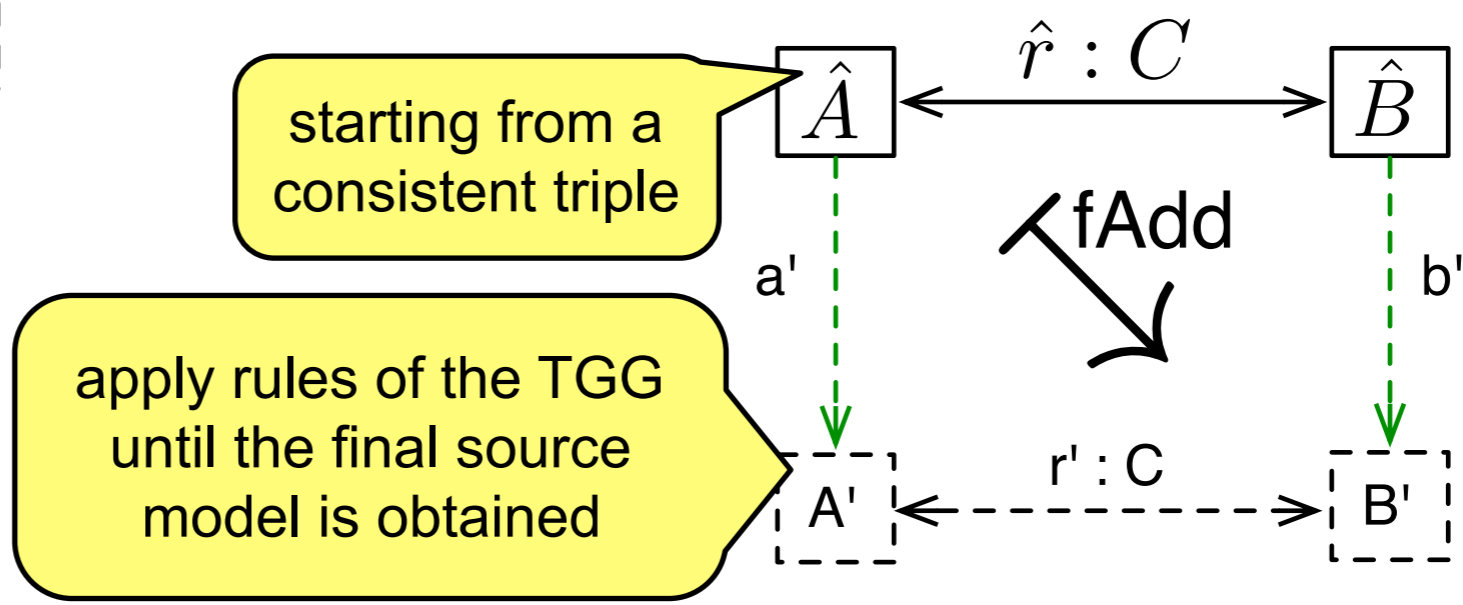
1. (Re-)Alignment:



2. Rollback:

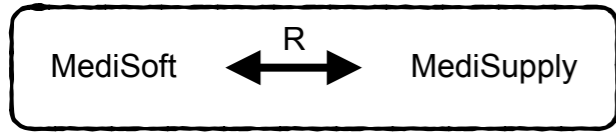


3. (Re-)Translation:

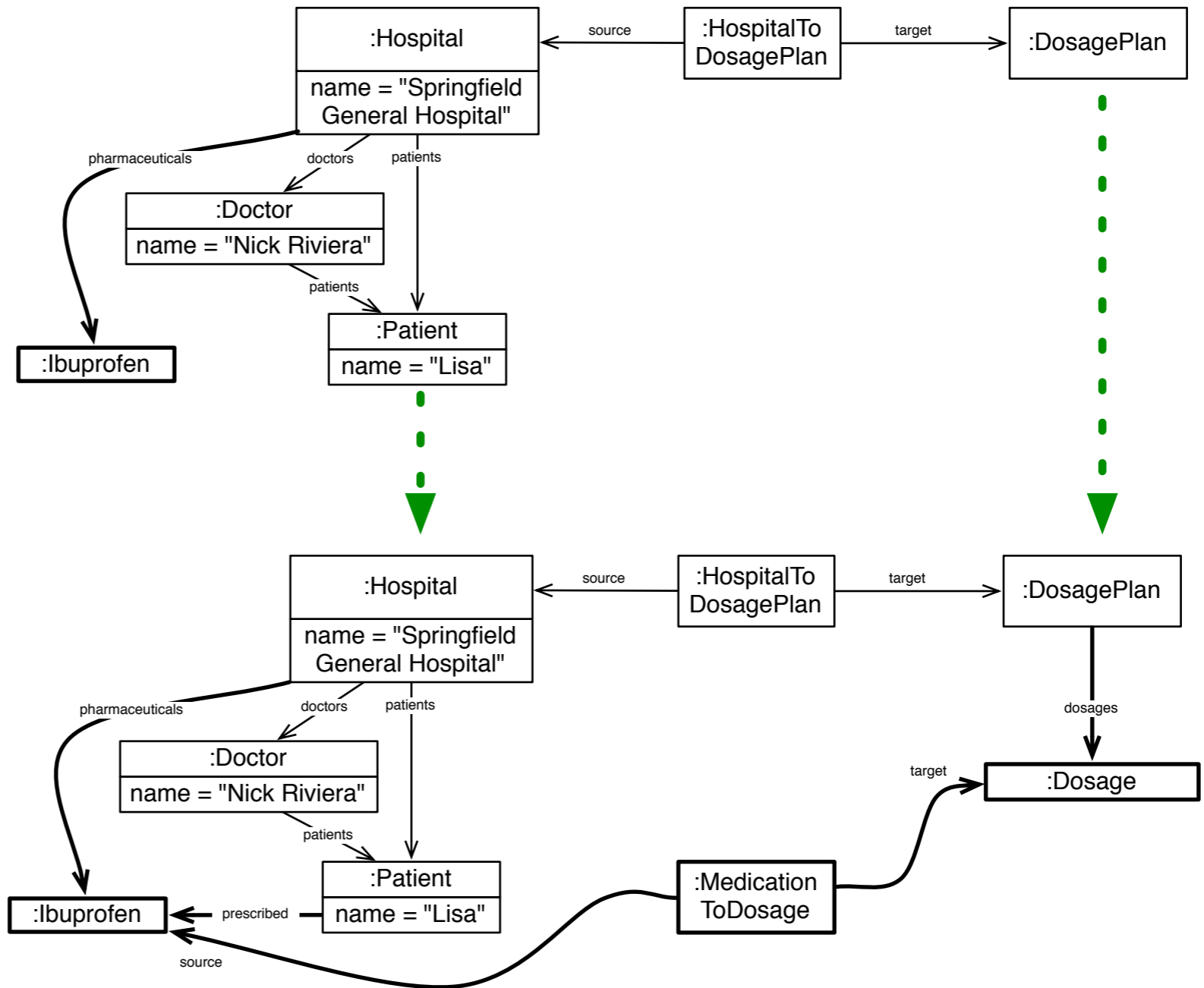
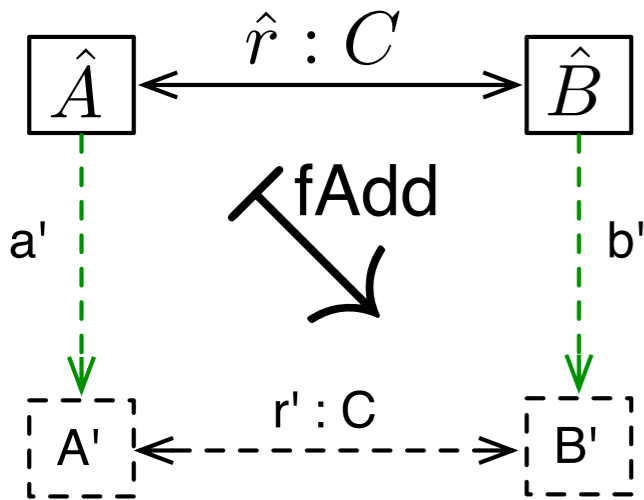
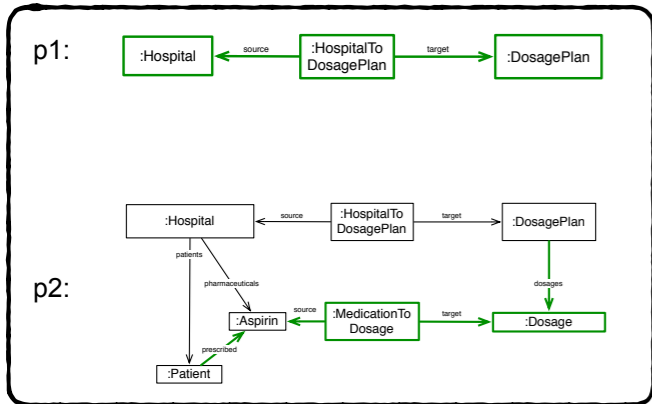




Running Example: Re-Translation

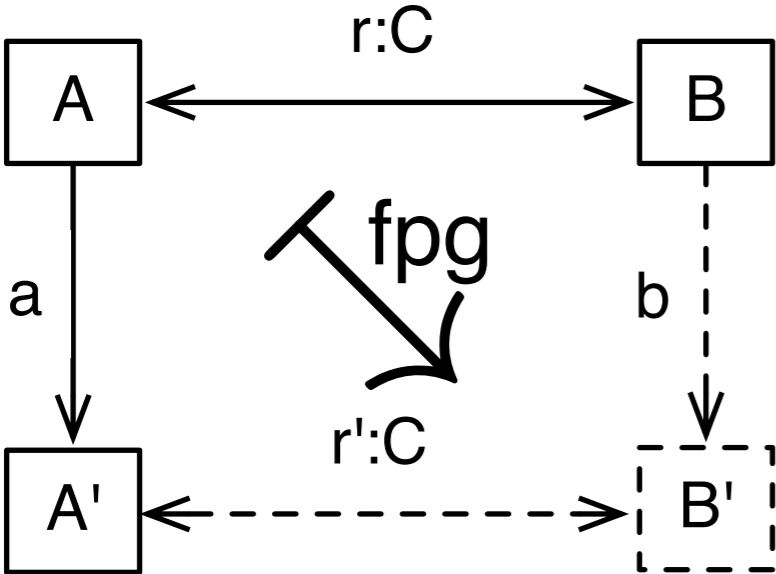


+





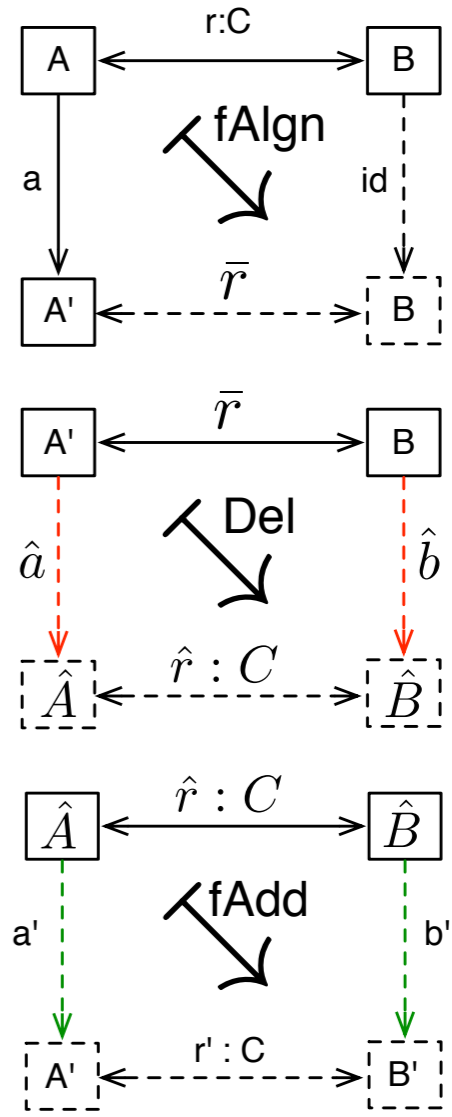
What do TGG tools do?



1. (Re-)Alignment:

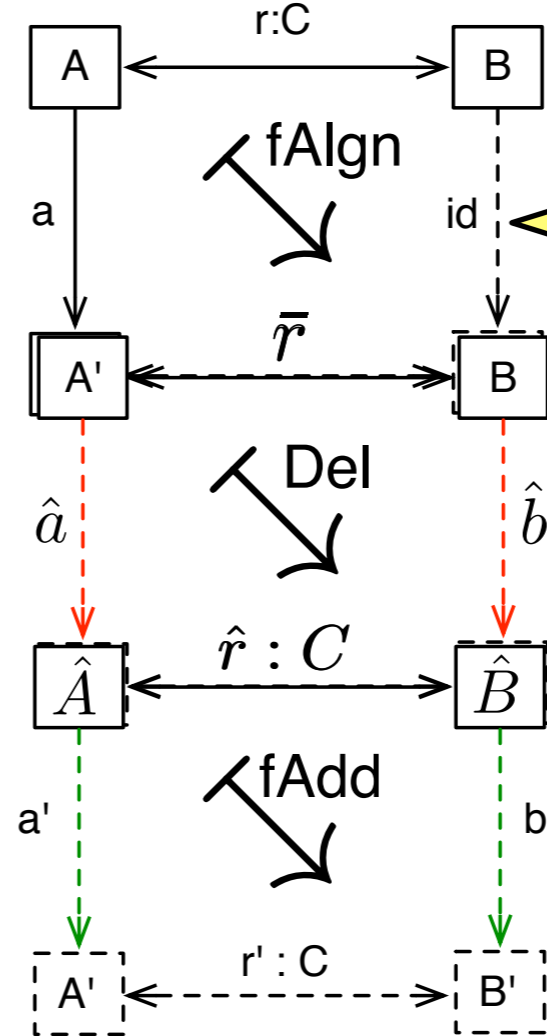
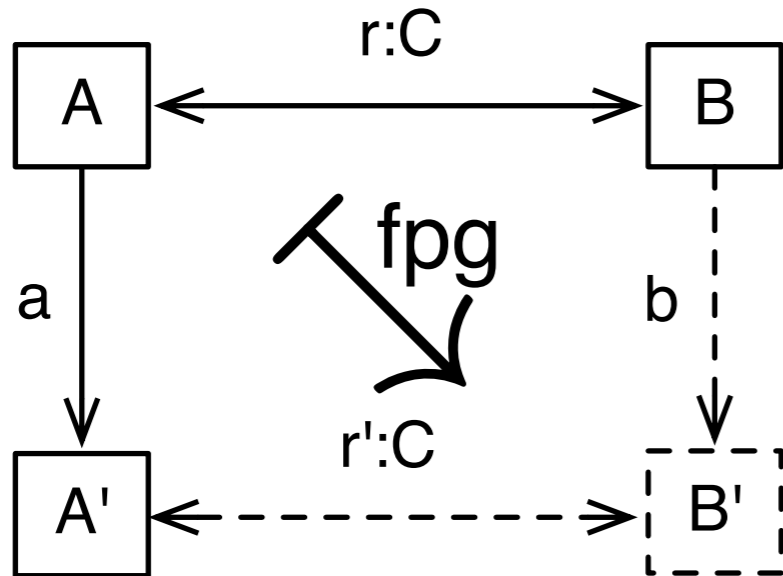
2. Rollback:

3. (Re-)Translation:

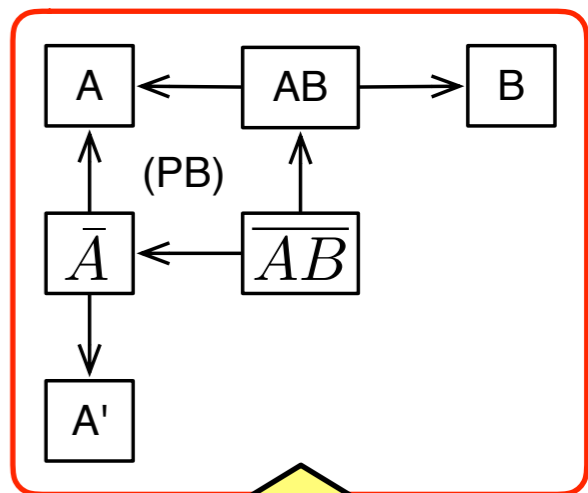




Some remarks on implementation



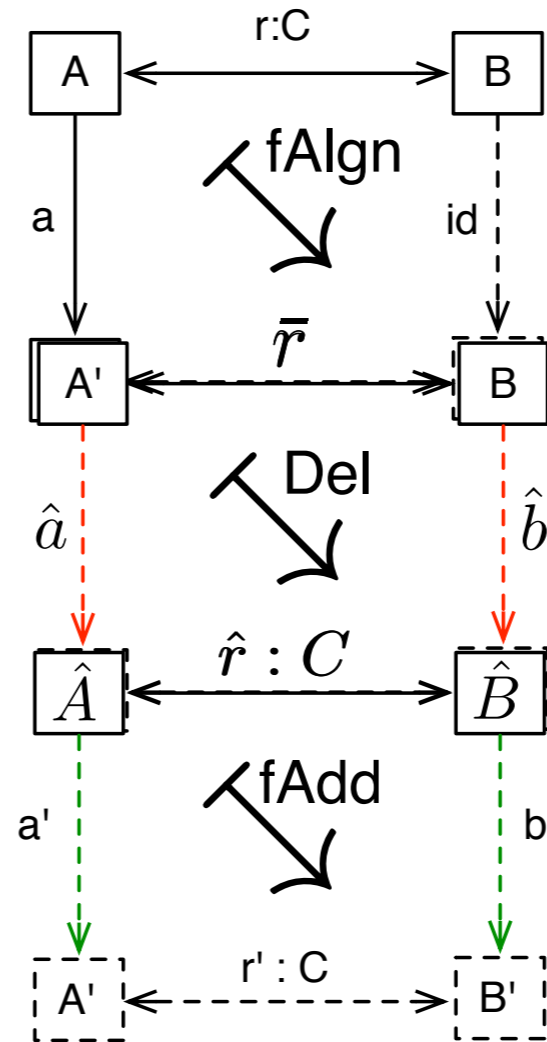
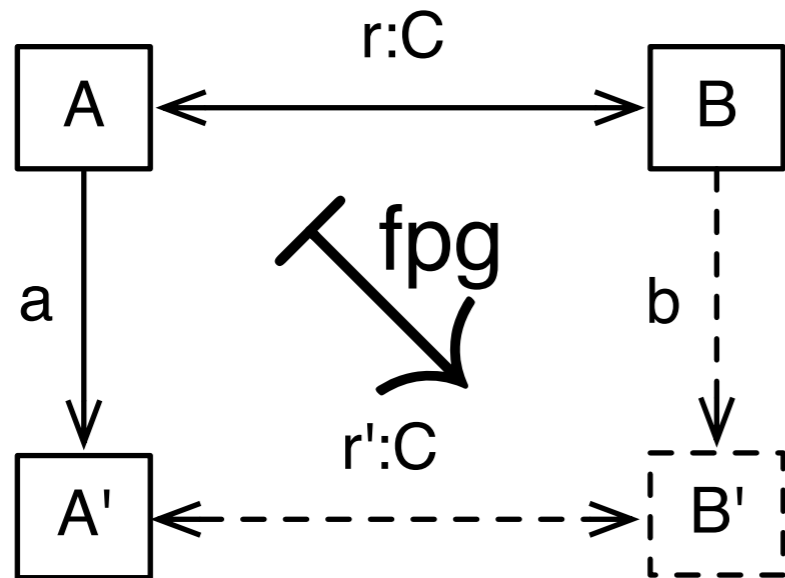
easy: TGG tools represent correspondence links explicitly so can just delete “dangling” links (formally a pullback)



arrows in this diagram are monic typed graph morphisms (and not deltas!)



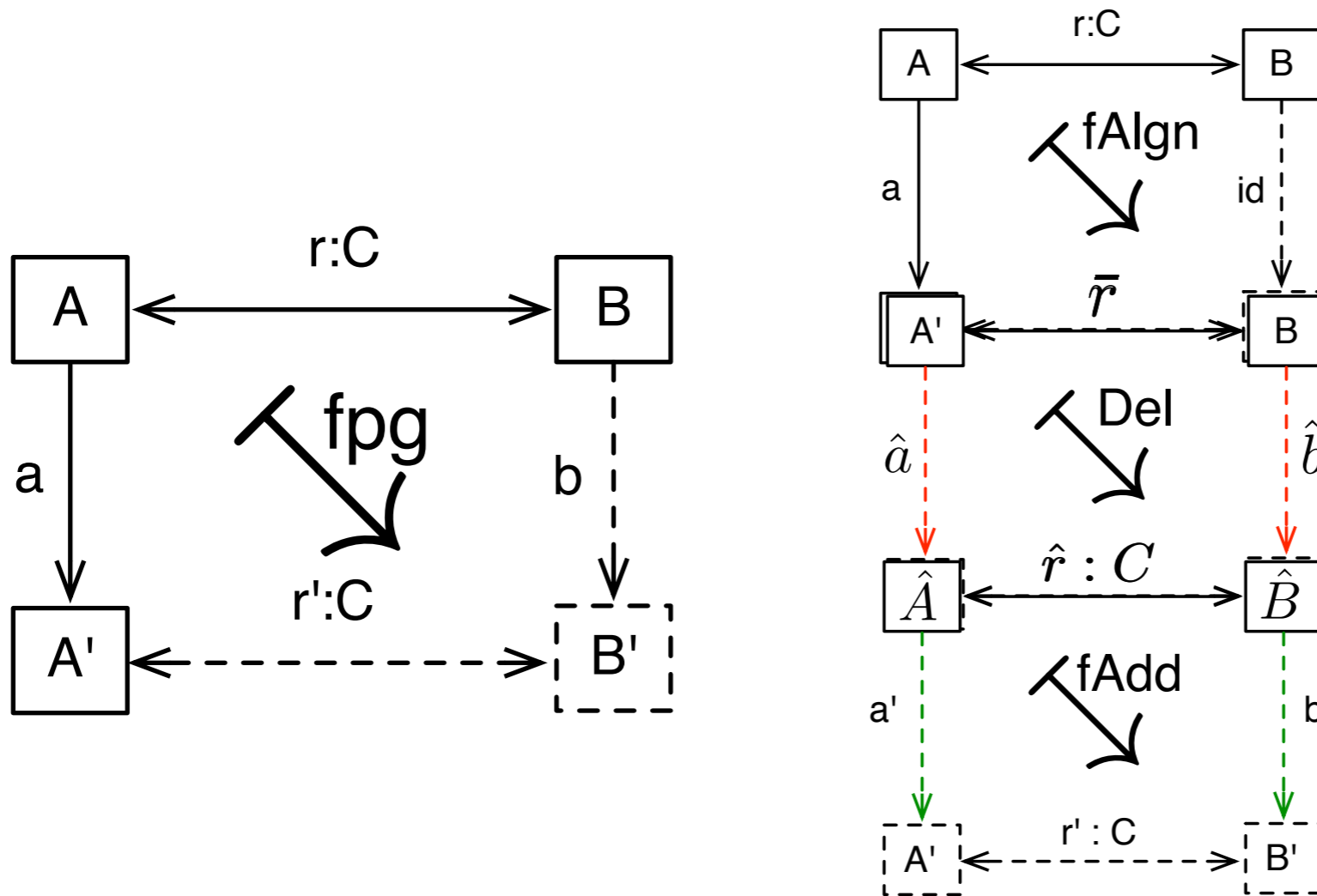
Some remarks on implementation



hard: requires a complete remarking of all elements (very inefficient), most TGG tools employ some kind of optimisation technique



Some remarks on implementation



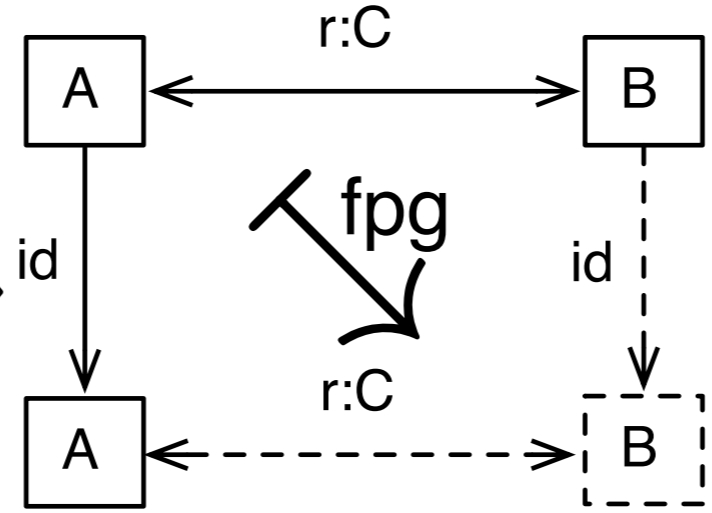
easy: just apply TGG rules wherever they match (typically quite efficient)

but: requires backtracking in general, so most TGG tools pose some (rather technical) restrictions

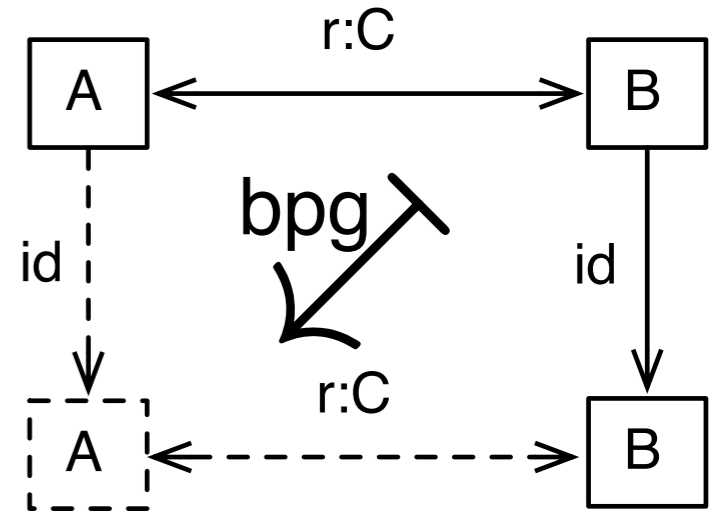


Proving stability

a TGG tool that actually inspects the delta to be propagated is trivially stable

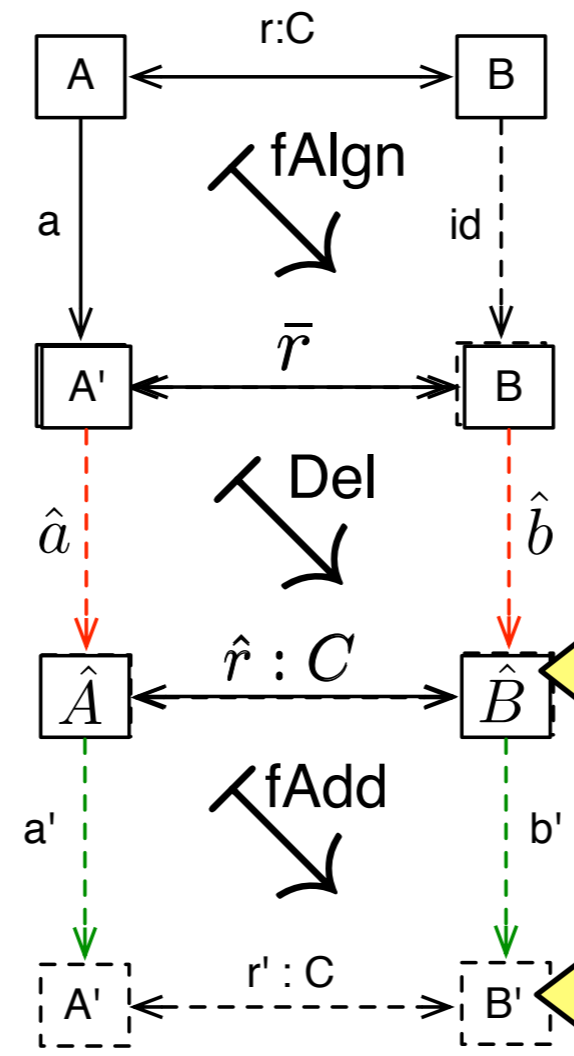
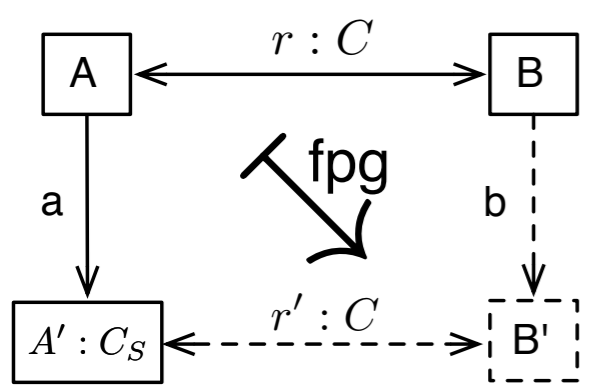


so **incremental** TGG tools are stable, **batch** TGG tools are not





Proving correctness

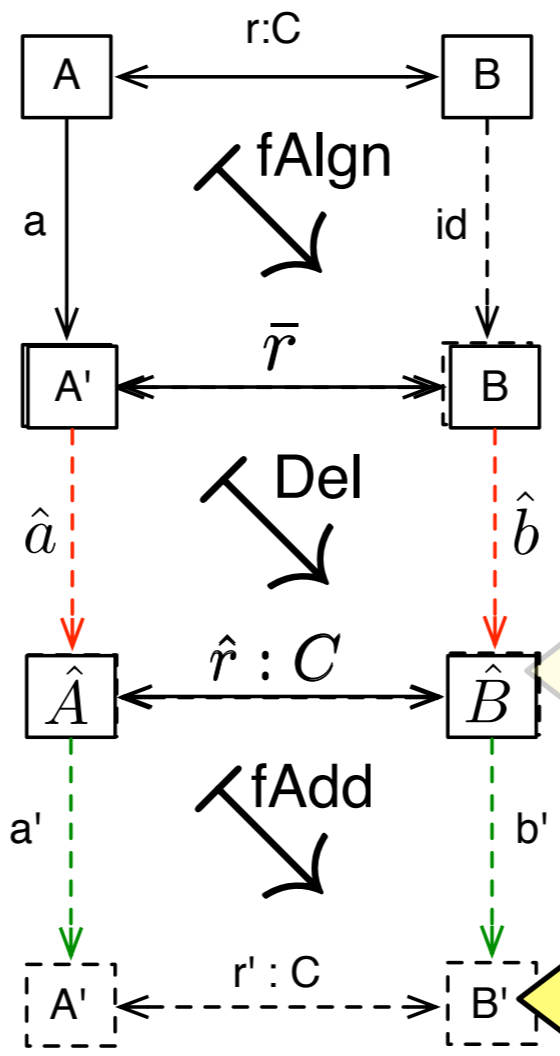


hard: show that **Del** (whatever strategy is applied) always produces a consistent intermediate result

easy: in each step, a TGG rule is applied, so if translation succeeds, the result is consistent by definition



Proving completeness

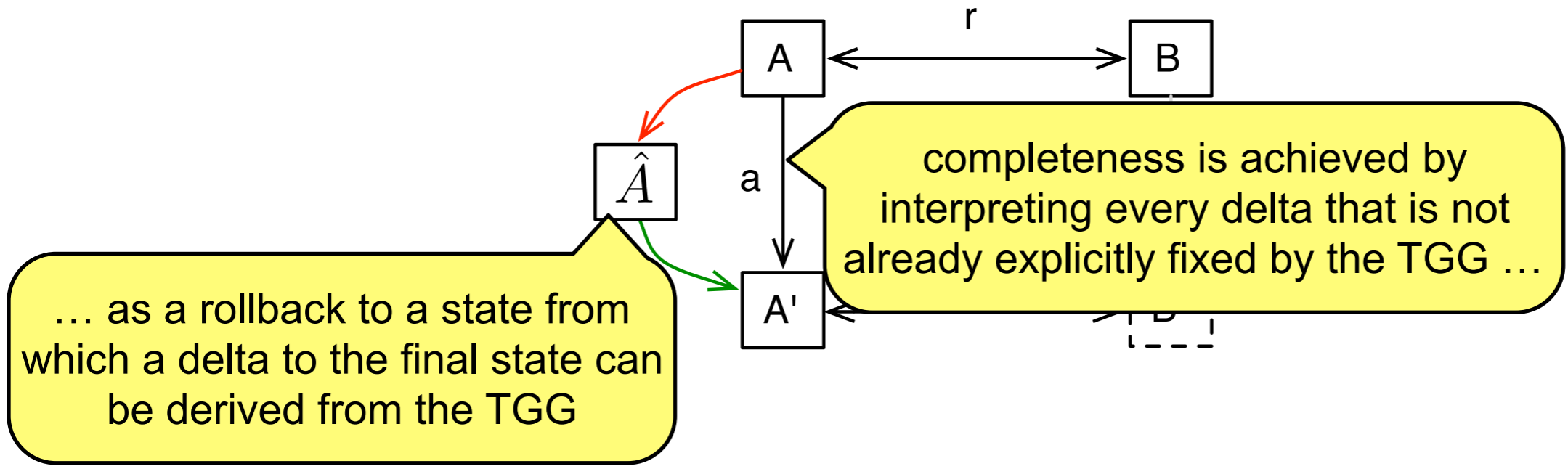


hard: show that **Del** (whatever strategy is applied) always produces a consistent intermediate result

easy: if backtracking strategy is taken (but very inefficient)
hard: show that translation process succeeds without backtracking

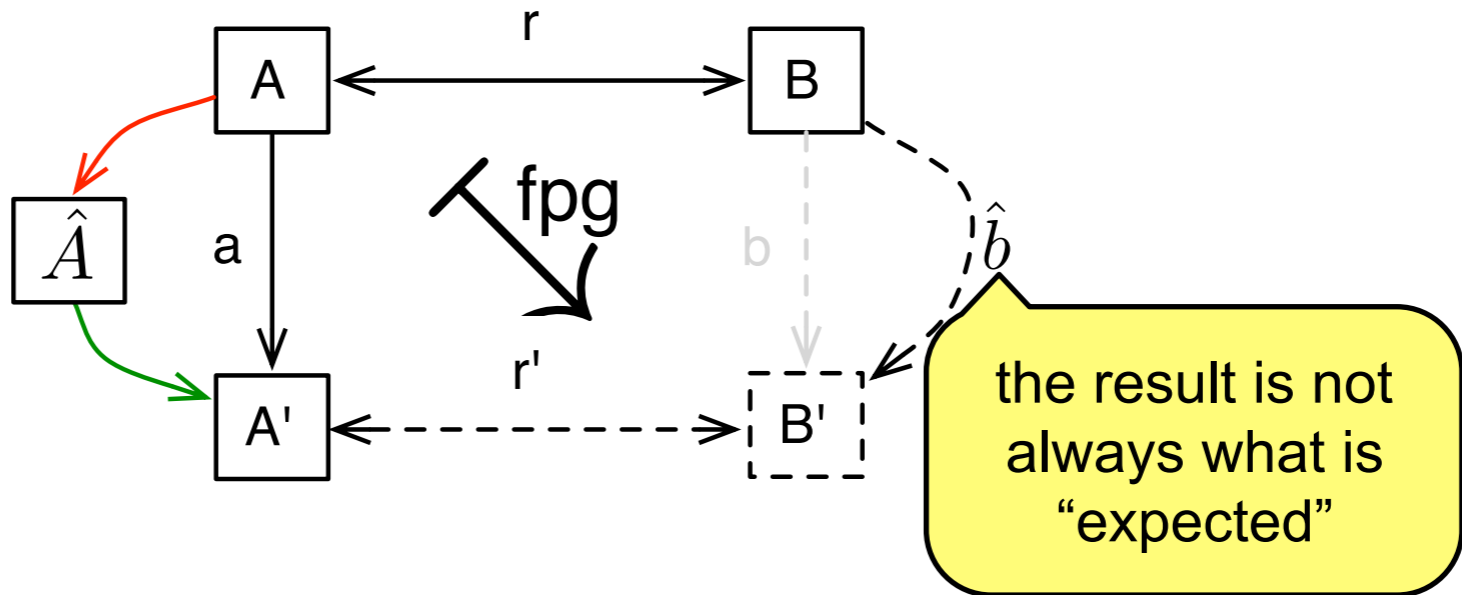


Some closing remarks on TGGs and “least change”



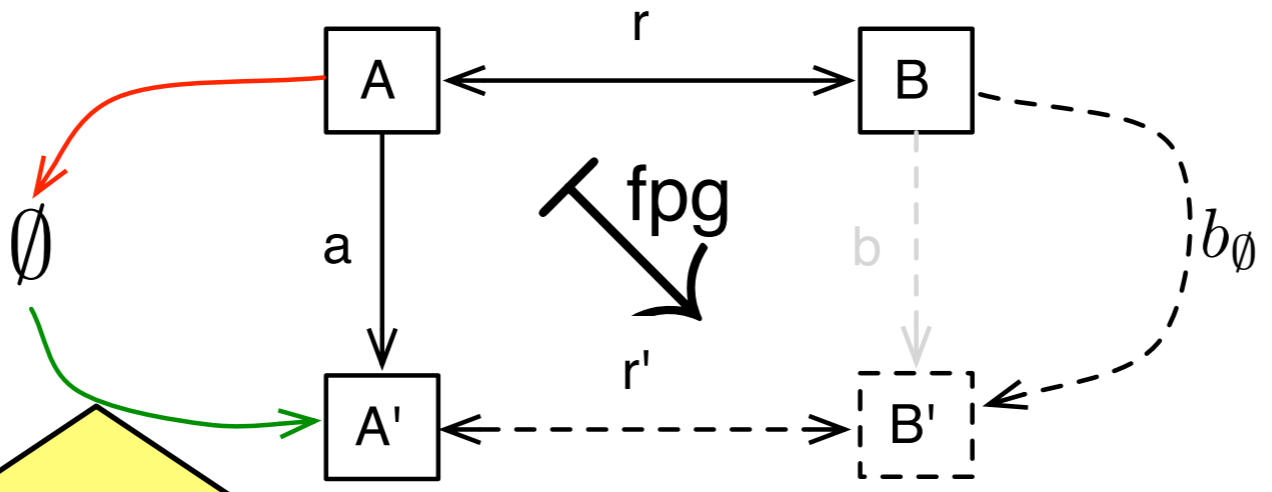


Some closing remarks on TGGs and “least change”





Some closing remarks on TGGs and “least change”

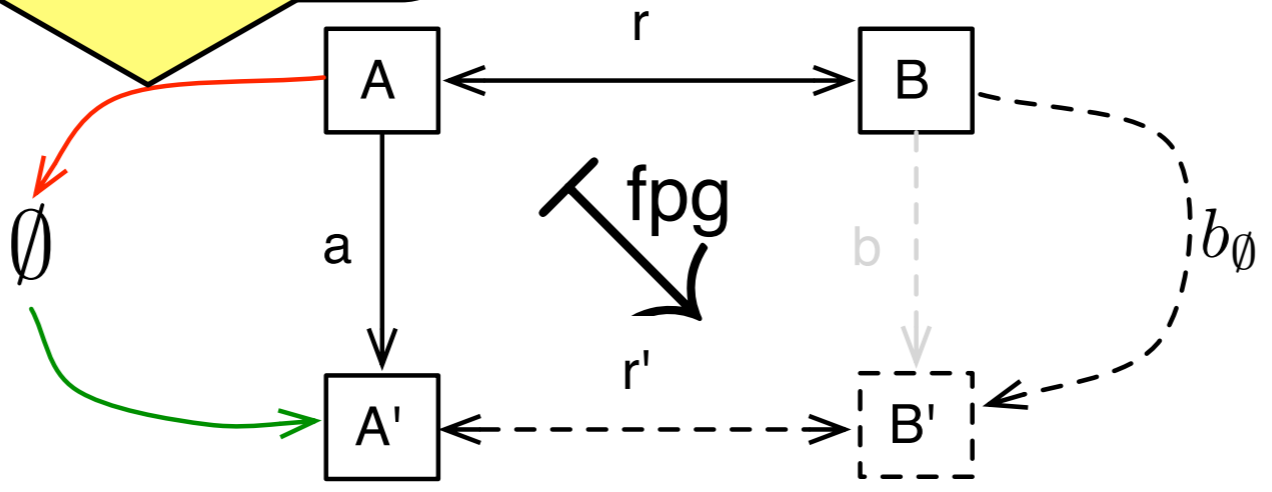


in the worst case, this can result in a complete rollback and re-translation (just as bad as batch, and less efficient!)



Some closing remarks on TGGs and “least change”

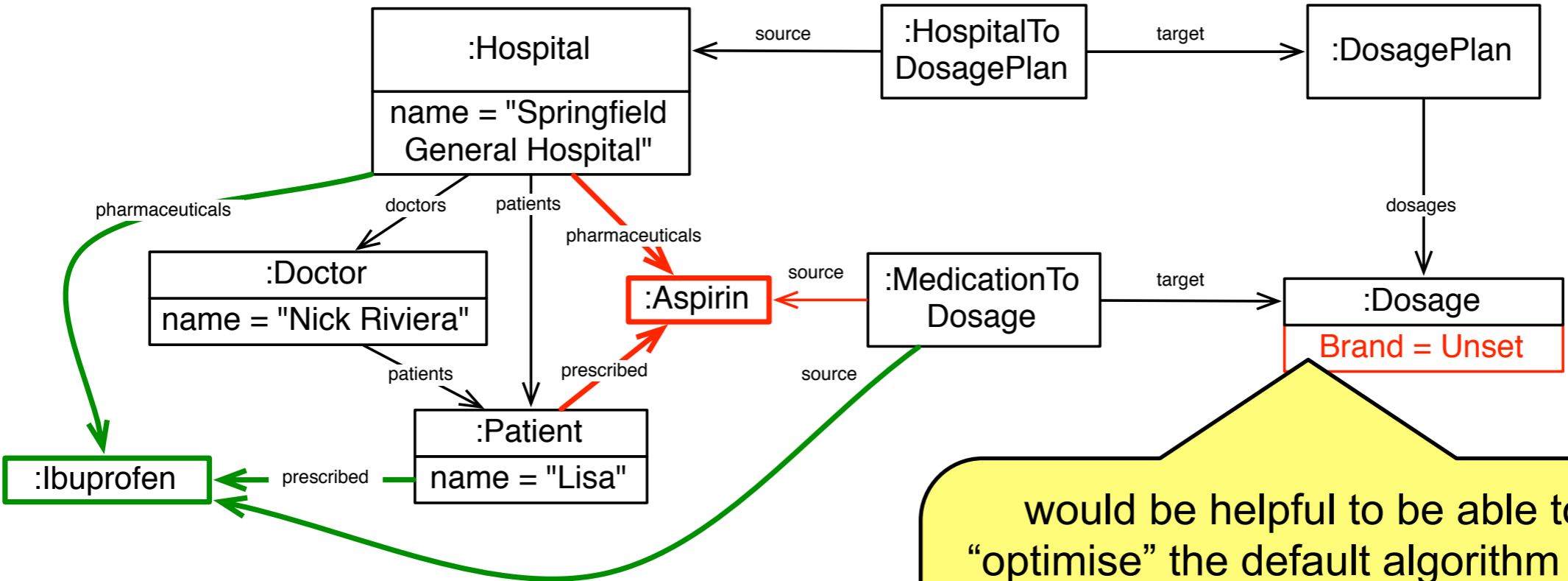
having this as a last resort (fallback) is often nice ...



... but there is currently no elegant way to exercise fine granular control over the behaviour of TGG-based synchronisers



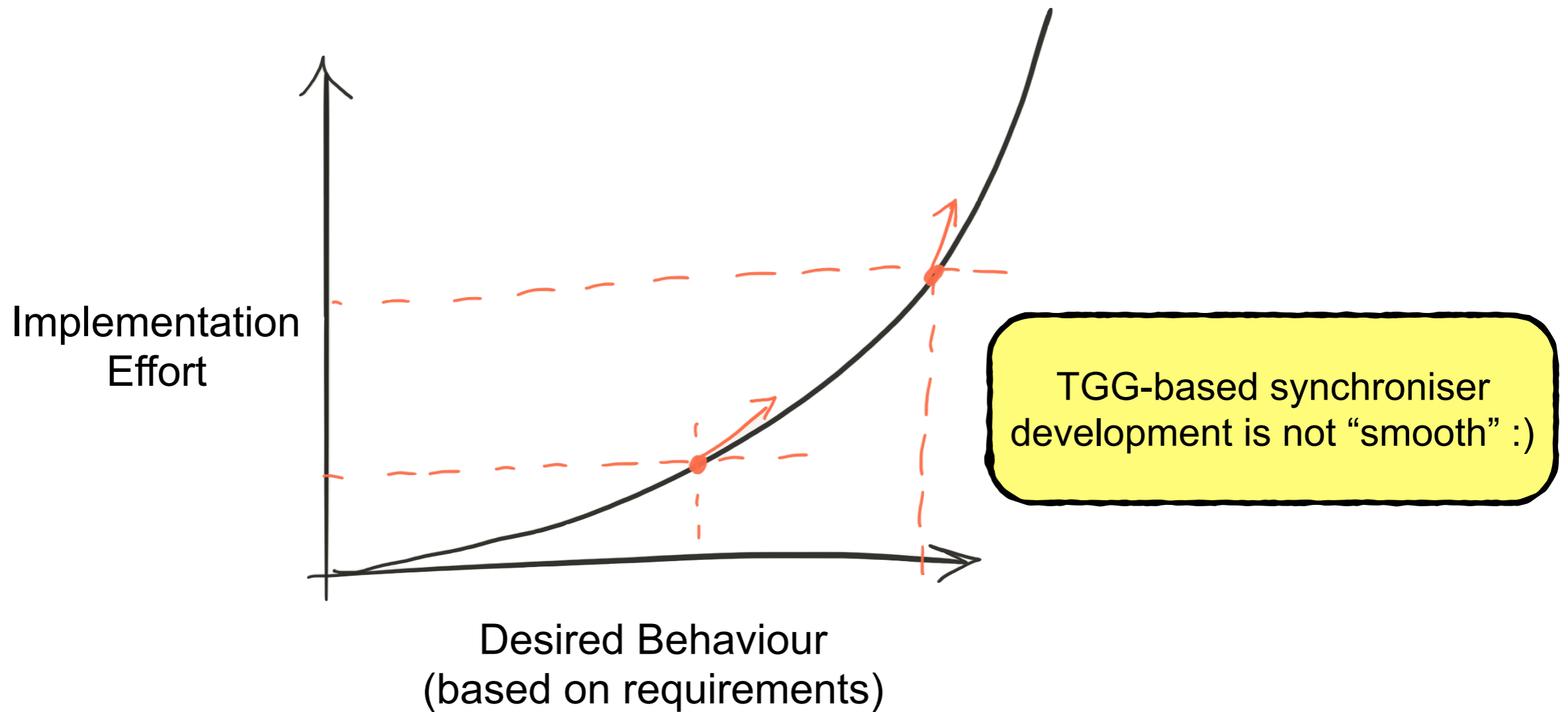
Running Example: Least Change?



would be helpful to be able to “optimise” the default algorithm in a problem-specific manner (and remain correct, complete, ...)



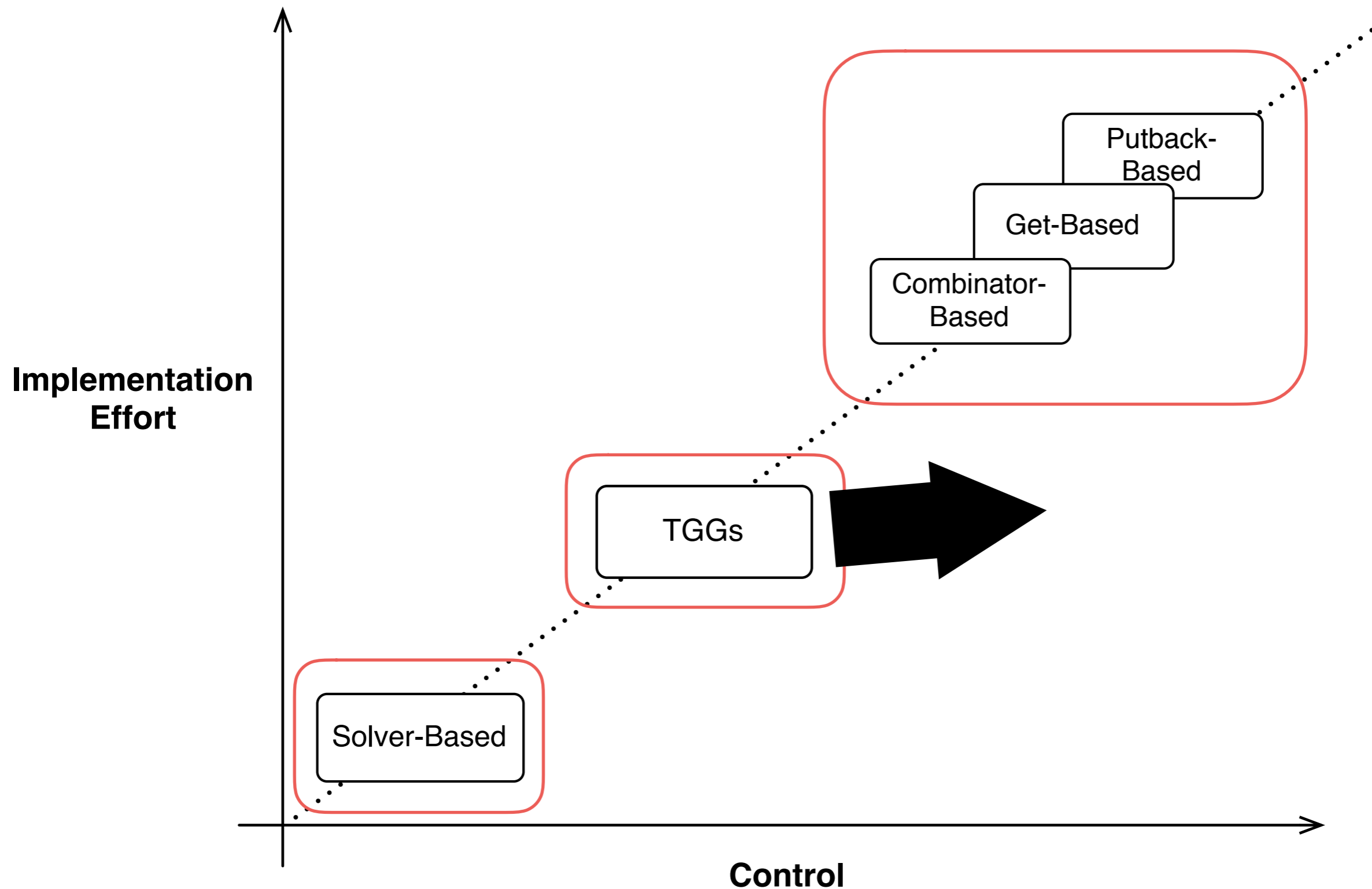
TGG Research Challenge (one of many! see [1])



[1] 20 Years of Triple Graph Grammars: A Roadmap for Future Research. A Anjorin, E Leblebici, A Schürr - ECEASST, 2016



TGG Research Challenge (one of many!)





Task 3: A suite of examples with TGGs

1. Install VirtualBox from www.virtualbox.org
2. Download this VM: <https://db.tt/gYgQMSHz>
3. Open VM, start Eclipse with shortcut on desktop
4. Choose workspaces / task3 as your workspace
5. Follow instructions from <https://db.tt/GJ8fyeVm>

