Scalable Ontology-Based Information Systems

Ian Horrocks

<ian.horrocks@comlab.ox.ac.uk> Information Systems Group Oxford University Computing Laboratory

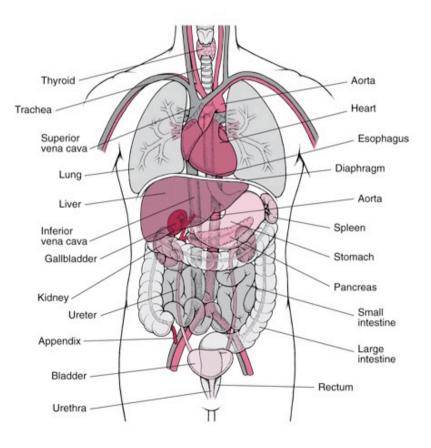






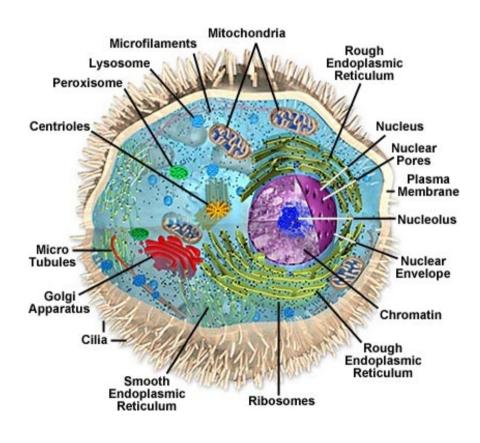


- Introduces **vocabulary** relevant to domain, e.g.:
 - Anatomy



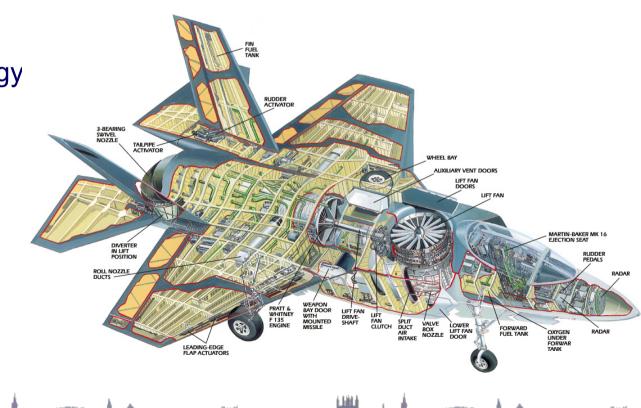


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 - Cellular biology



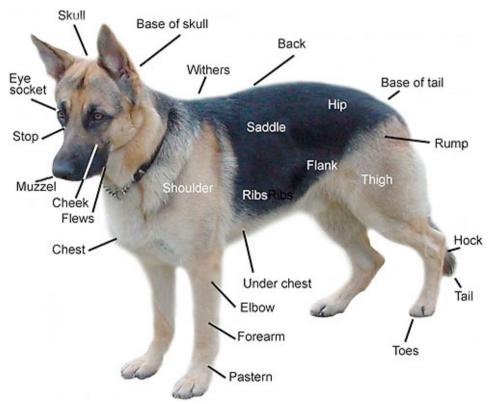


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 - Dogs



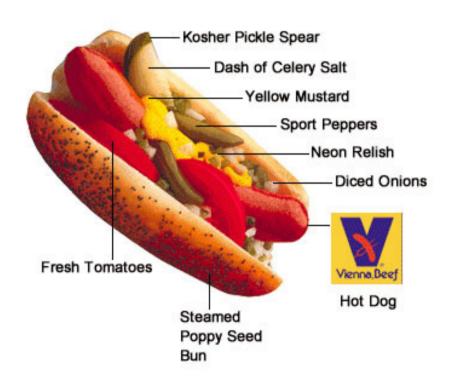


A model of (some aspect of) the world

- Introduces vocabulary relevant to domain, e.g.:
 - Anatomy
 - Cellular biology
 - Aerospace
 - Dogs

. . .

Hotdogs

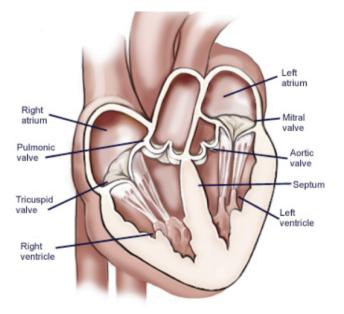




A model of (some aspect of) the world

- Introduces vocabulary
 relevant to domain
- Specifies meaning (semantics) of terms

Heart is a muscular organ that is part of the circulatory system



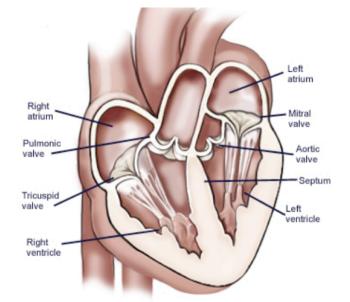
A model of (some aspect of) the world

- Introduces vocabulary
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Heart is a muscular organ that is part of the circulatory system

• Formalised using suitable logic

 $\begin{aligned} \forall x. [\mathsf{Heart}(x) & \to \mathsf{MuscularOrgan}(x) \land \\ & \exists y. [\mathsf{isPartOf}(x, y) \land \\ & \mathsf{CirculatorySystem}(y)]] \end{aligned}$



Web Ontology Language OWL (2)

- W3C recommendation(s)
- Motivated by Semantic Web activity

Add meaning to web content by annotating it with terms defined in ontologies

- Supported by tools and infrastructure
 - APIs (e.g., OWL API, Thea, OWLink)
 - Development environments
 (e.g., Protégé, Swoop, TopBraid Composer)
 - Reasoners & Information Systems
 (e.g., Pellet, Racer, HermiT, Quonto, ...)
- Based on a Description Logics (SHOIN / SROIQ)





Description Logics (DLs)

- Fragments of **first order logic** designed for KR
- Desirable computational properties
 - Decidable (essential)
 - Low complexity (desirable)
- Succinct and variable free syntax

 $\begin{aligned} \forall x. [\mathsf{Heart}(x) & \to \mathsf{MuscularOrgan}(x) \land \\ & \exists y. [\mathsf{isPartOf}(x, y) \land \\ & \mathsf{CirculatorySystem}(y)] \end{aligned}$

 $\begin{array}{l} \mathsf{Heart}\sqsubseteq\mathsf{MuscularOrgan}\sqcap\\ \exists \mathsf{isPartOf}.\mathsf{CirculatorySystem} \end{array}$



Description Logics (DLs)

DL Knowledge Base (KB) consists of two parts:

- Ontology (aka TBox) axioms define terminology (schema)

Heart \Box MuscularOrgan \sqcap $\exists isPartOf.CirculatorySystem$ HeartDisease \equiv Disease \sqcap $\exists affects.Heart$ VascularDisease \equiv Disease \sqcap $\exists affects.(\exists isPartOf.CirculatorySystem)$

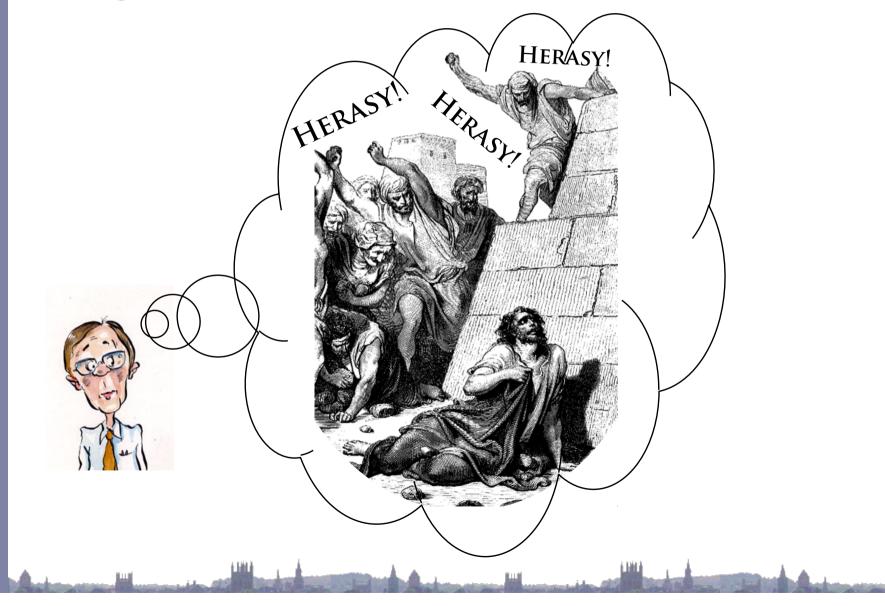
- Ground facts (aka ABox) use the terminology (data)

John : Patient □ ∃suffersFrom.HeartDisease

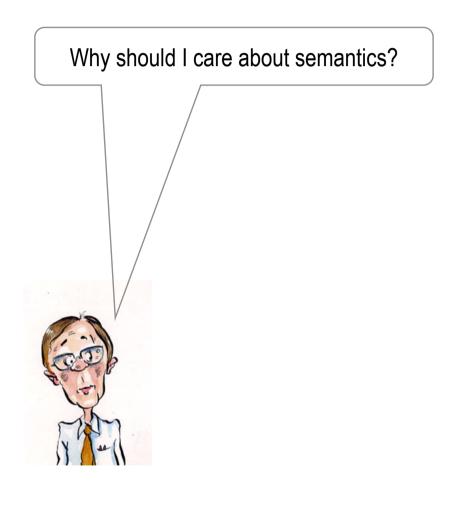




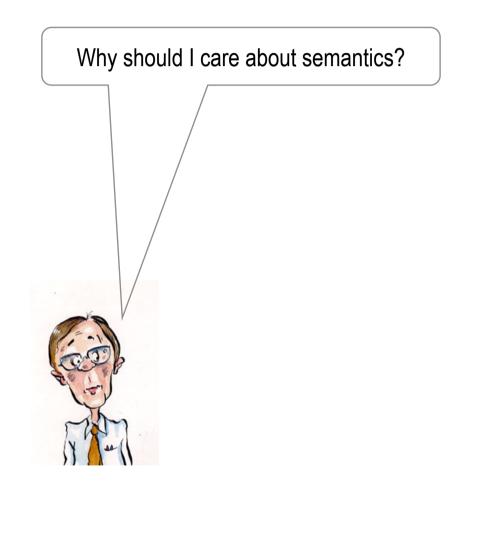












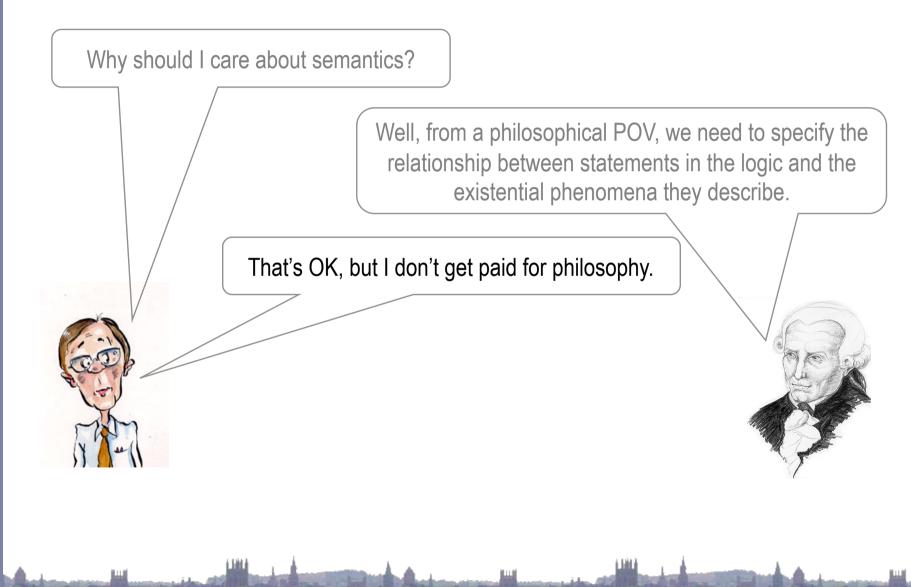




Why should I care about semantics?

Well, from a philosophical POV, we need to specify the relationship between statements in the logic and the existential phenomena they describe.







Why should I care about semantics?

Well, from a philosophical POV, we need to specify the relationship between statements in the logic and the existential phenomena they describe.

That's OK, but I don't get paid for philosophy.

From a practical POV, in order to specify and test ontology-based information systems we need to precisely define their intended behaviour



In FOL we define the semantics in terms of models (a model theory). A model is supposed to be an analogue of (part of) the world being modeled. FOL uses a very simple kind of model, in which "objects" in the world (not necessarily physical objects) are modeled as elements of a set, and relationships between objects are modeled as sets of tuples.







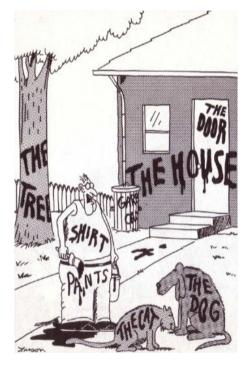
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This is exactly the same kind of model as used in a database: objects in the world are modeled as values (elements) and relationships as tables (sets of tuples).

What are Ontologies Good For?

- Coherent user-centric view of domain
 - Help identify and resolve disagreements
- Ontology-based Information Systems
 - View of data that is independent of logical/ physical schema
 - Queries use terms familiar to users
 - Answers reflect schema & data, e.g.:
 "Patients suffering from Vascular Disease"
 - Query expansion/navigation/refinement
 - Incomplete and semi-structured data
 - Integration of heterogeneous sources



Now... *that* should clear up a few things around here



Healthcare

- UK NHS £6.2 billion "Connecting for Health" IT programme
- Key component is **Care Records Service** (CRS)
 - "Live, interactive patient record service accessible 24/7"
 - Patient data distributed across local centres in 5 regional clusters, and a national DB
 - Detailed **records** held by local service providers
 - Diverse applications support radiology, pharmacy, etc
 - Summaries sent to national database
 - SNOMED-CT ontology provides common vocabulary for data
 - Clinical data uses terms drawn from ontology



SNOMED-CT

- It's **BIG** over **400,000 concepts**
- Language used is **EL profile of OWL 2**
- Multiple hierarchies and rich definitions



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Concept Id 154283005	A V
DescriptionId 1784750013 Clinical finding	
💷 Words - any order 👻 🗏 🚬 🔽 -	pulmonary tuberculosis - Definition
	Concept Status: Current
Eind pulmonary tuber	- F pulmonary tuberculosis (A isorder)
P pulmonary tuberculosis	Pulmonary tuberculosis
P pulmonary tuberose sclerosis	I B - Pulmonary tuberculosis
SPTB - Pulmonary tuberculosis Sinactive pul CAUSEC Dys Mycobacterium	Definition: Fully defined by kind of tuberculosis
	pneumonitis
tuberculosis complex	inflammatory disorder of lower respiratory tract
Hierarchy Subtype hierarchy	inflammation of specific body organs
205237003 pneumonitis	ED tuberculosis
C 56717001 tuberculosis	to infectious disease of lung
C 84353005 pulmonary disease due to Mycobacteria	bacterial lower respiratory infection
428697002 inactive tuberculosis of lung	
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SNOMED-CT

- Over 400,000 concepts
- Language used is **EL fragment of OWL 2**
- Multiple hierarchies and rich definitions
- Supports, e.g., retrieving details of all patients having pulmonary TB



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Finding site (attribute) 39607008 Select Role Type			-	189147	TB OF LUNG, INFILTRATIVE	39861	12139861	011.00A	011.00
				189149	TB PNEUMONIA	39863	12139863	011.60A	011.60



SNOMED-CT

- Over 400,000 concepts
- Language used is **EL fragment of OWL 2**
- Multiple hierarchies and rich definitions
- Supports, e.g., retrieving details of all patients having pulmonary TB
 - information used e.g., to improve Quality of Care, for Reporting, in epidemiological research, in Decision Support, ...
- Building and maintenance is a huge task
 - supported by reasoning tools, e.g., to enrich hierarchies

What About Scalability?

- Only useful in practice if we can deal with large ontologies and/or large data sets
- Unfortunately, many ontology languages are highly intractable
 - Satisfiability for OWL 2 ontologies is **2NEXPTIME-complete**
- Problem addressed in practice by
 - Algorithms that work well in **typical cases**
 - Highly optimised implementations
 - Use of tractable fragments (aka profiles)



Tableau Reasoning Algorithms



Tableau Reasoning Algorithms

Standard technique based on (hyper-) tableau

- Reasoning tasks reducible to (un)satisfiability
 - E.g., KB ⊨ HeartDisease ⊑ VascularDisease iff
 KB ∪ {x:(HeartDisease □ ¬VascularDisease)} is not satisfiable

Tableau Reasoning Algorithms

Standard technique based on (hyper-) tableau

- Reasoning tasks reducible to (un)satisfiability
 - E.g., KB ⊨ HeartDisease ⊑ VascularDisease iff
 KB ∪ {x:(HeartDisease □ ¬VascularDisease)} is not satisfiable
- Algorithm tries to construct (an abstraction of) a model in which some individual (x) is an instance of HeartDisease and not an instance of VascularDisease
 - such a model is a counter-example for postulated subsumption



Highly Optimised Implementations

- Lazy unfolding
- Simplification and rewriting,

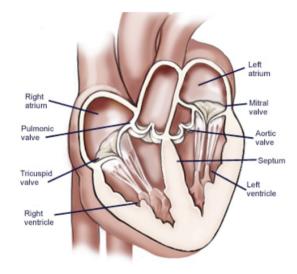
 $\text{e.g.,} \ A \sqcap B \sqsubseteq C \quad \longrightarrow \quad A \sqsubseteq C \sqcup \neg B$

- HyperTableau (reduces non-determinism)
- Fast semi-decision procedures
- Search optimisations
- Reuse of previous computations
- Heuristics

Not computationally optimal, but effective with many realistic ontologies

Scalability Issues

• Problems with very large and/or cyclical ontologies



 $\label{eq:labeleq:leftSide} \sqsubseteq \exists hasComponent.AorticValve\\ LeftSide \sqsubseteq \exists hasComponent.MitralValve\\ AorticValve \sqsubseteq \exists hasConnection.LeftVentircle\\ MitralValve \sqsubseteq \exists hasConnection.LeftVentircle\\ LeftVentricle \sqsubseteq \exists isDivisionOf.LeftSide\\ \end{aligned}$

- Ontologies may define 10s/100s of thousands of terms
 - can lead to construction of *very* large models
 - requires many (worst case n²) tests to construct taxonomy

Scalability Issues

- Problems with large data sets (ABoxes)
 - Main reasoning problem is (conjunctive) query answering, e.g., retrieve all patients suffering from vascular disease: $Q(x) \leftarrow Patient(x) \land suffersFrom(x, y) \land VascularDisease(y)$
 - Decidability still open for OWL, although minor restrictions (on cycles in non-distinguished variables) restore decidability
 - Query answering reduced to standard decision problem, e.g., by checking for each individual x if KB $\models Q(x)$
 - Model construction starts with all ground facts (data)
- Typical applications may use data sets with 10s/100s of millions of individuals (or more)



OWL 2 Profiles

- OWL recommendation now updated to OWL 2
- OWL 2 defines several profiles fragments with desirable computational properties
 - OWL 2 EL targeted at very large ontologies
 - OWL 2 QL targeted at very large data sets



OWL 2 EL

- A (near maximal) fragment of OWL 2 such that
 - Satisfiability checking is in PTime (PTime-Complete)
 - Data complexity of query answering also PTime-Complete
- Based on *EL* family of description logics
- Can exploit **saturation** based reasoning techniques
 - Computes classification in "one pass"
 - Computationally optimal
 - Can be extended to Horn fragment of OWL DL



- Normalise ontology axioms to standard form: $A \sqsubseteq B$ $A \sqcap B \sqsubseteq C$ $A \sqsubseteq \exists R.B$ $\exists R.B \sqsubseteq C$
- Saturate using inference rules:

 $\frac{A \sqsubseteq B \quad B \sqsubseteq C}{A \sqsubseteq C} \qquad \frac{A \sqsubseteq B \quad A \sqsubseteq C \quad B \sqcap C \sqsubseteq D}{A \sqsubseteq D}$ $\frac{A \sqsubseteq \exists R.B \quad B \sqsubseteq C \quad \exists R.C \sqsubseteq D}{A \sqsubseteq D}$

• Extension to Horn fragment requires (many) more rules



Example:

 $\begin{aligned} & \mathsf{OrganTransplant} \equiv \mathsf{Transplant} \sqcap \exists \mathsf{site}.\mathsf{Organ} \\ & \mathsf{HeartTransplant} \equiv \mathsf{Transplant} \sqcap \exists \mathsf{site}.\mathsf{Heart} \\ & \mathsf{Heart} \sqsubseteq \mathsf{Organ} \end{aligned}$



Example:

OrganTransplant ≡ Transplant ⊓ ∃site.Organ HeartTransplant ≡ Transplant ⊓ ∃site.Heart Heart ⊑ Organ



Example:

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 $OrganTransplant \sqsubseteq Transplant$ $OrganTransplant \sqsubseteq \exists site.Organ$



Example:

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Saturation-based Technique

Performance with large bio-medical ontologies:

	GO	NCI	Galen v.0	Galen v.7	SNOMED
Concepts:	20465	27652	2748	23136	389472
FACT++	15.24	6.05	465.35		650.37
HERMIT	199.52	169.47	45.72		
Pellet	72.02	26.47			_
CEL	1.84	5.76			1185.70
CB	1.17	3.57	0.32	9.58	49.44
Speed-Up:	1.57X	1.61X	143X	∞	13.15X



OWL 2 QL

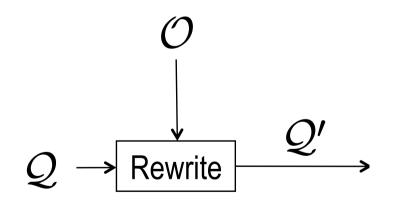
- A (near maximal) fragment of OWL 2 such that
 - Data complexity of conjunctive query answering in AC⁰,
 i.e., query answering is *first order reducible*
- Based on **DL-Lite** family of description logics
- Can exploit **query rewriting** based reasoning technique
 - Computationally optimal
 - Data storage and query evaluation can be delegated to standard RDBMS
 - Can be extended to more expressive languages (beyond AC⁰) by delegating query answering to a Datalog engine



- Given ontology O and query Q, use O to rewrite Q as Q' such that, for any set of ground facts A:
 - $\operatorname{ans}(\mathcal{Q}, \mathcal{O}, \mathcal{A}) = \operatorname{ans}(\mathcal{Q}', \emptyset, \mathcal{A})$

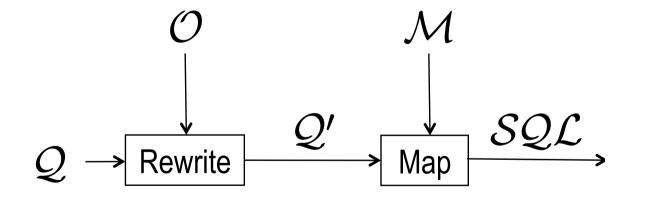


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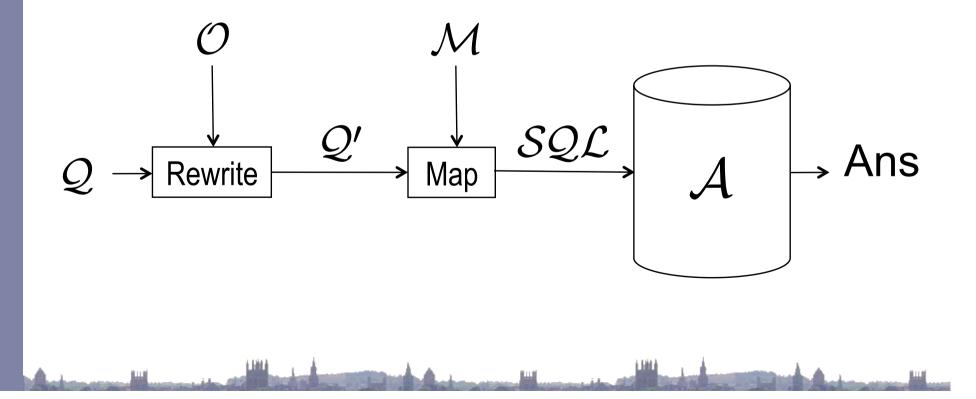


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- Given ontology O and query Q, use O to rewrite Q as Q' such that, for any set of ground facts A:
 - $\operatorname{ans}(\mathcal{Q}, \mathcal{O}, \mathcal{A}) = \operatorname{ans}(\mathcal{Q}', \emptyset, \mathcal{A})$
- Resolution based query rewriting
 - Clausify ontology axioms
 - **Saturate** (clausified) ontology and query using resolution
 - Prune redundant query clauses



• Example:

 $\mathsf{Doctor} \sqsubseteq \exists \mathsf{treats}.\mathsf{Patient} \\ \mathsf{Consultant} \sqsubseteq \mathsf{Doctor} \\ \mathsf{Doctor} \\$

 $Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y)$



• Example:

Doctor $\sqsubseteq \exists$ treats.Patient Consultant \sqsubseteq Doctor

 $\begin{aligned} \mathsf{treats}(x, f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Patient}(f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Doctor}(x) &\leftarrow \mathsf{Consultant}(x) \end{aligned}$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$



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 $treats(x, f(x)) \leftarrow Doctor(x)$ Patient(f(x)) $\leftarrow Doctor(x)$ Doctor(x) $\leftarrow Consultant(x)$ $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$



Example:

> Doctor
> ∃treats.Patient $Consultant \sqsubseteq Doctor$

 $treats(x, f(x)) \leftarrow Doctor(x)$ $Doctor(x) \leftarrow Consultant(x)$

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Example:

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 ∃treats.Patient $Consultant \Box Doctor$

 $treats(x, f(x)) \leftarrow Doctor(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Patient(f(x)) \leftarrow Doctor(x)$ $Q(x) \leftarrow Doctor(x) \land Patient(f(x))$ $Doctor(x) \leftarrow Consultant(x)$ $Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$



Example:

Doctor
 ∃treats.Patient $Consultant \Box Doctor$

 $treats(x, f(x)) \leftarrow Doctor(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Patient(f(x)) \leftarrow Doctor(x)$ $Q(x) \leftarrow Doctor(x) \land Patient(f(x))$ $Doctor(x) \leftarrow Consultant(x)$ $Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$ $Q(x) \leftarrow \mathsf{Doctor}(x)$



Example:

Doctor
 ∃treats.Patient $Consultant \Box Doctor$

 $treats(x, f(x)) \leftarrow Doctor(x)$ $\mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x))$ $Doctor(x) \leftarrow Consultant(x)$ $Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$ $Q(x) \leftarrow \mathsf{Doctor}(x)$



Example:

Doctor
 ∃treats.Patient $Consultant \Box Doctor$

 $treats(x, f(x)) \leftarrow Doctor(x)$ $\mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x))$ $Doctor(x) \leftarrow Consultant(x)$ $Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$ $Q(x) \leftarrow \mathsf{Doctor}(x)$ $Q(x) \leftarrow \mathsf{Consultant}(x)$



Example:

Doctor
 ∃treats.Patient Consultant
Doctor

 $treats(x, f(x)) \leftarrow Doctor(x)$ $\mathsf{Patient}(f(x)) \leftarrow \mathsf{Doctor}(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x))$ $Doctor(x) \leftarrow Consultant(x)$ $Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$ $Q(x) \leftarrow \mathsf{Doctor}(x)$ $Q(x) \leftarrow \mathsf{Consultant}(x)$



• Example:

Doctor $\sqsubseteq \exists treats. Patient$ Consultant \sqsubseteq Doctor

 $\begin{aligned} \mathsf{treats}(x, f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Patient}(f(x)) &\leftarrow \mathsf{Doctor}(x) \\ \mathsf{Doctor}(x) &\leftarrow \mathsf{Consultant}(x) \end{aligned}$

$$\begin{array}{l} Q(x) \leftarrow \mathsf{treats}(x,y) \land \mathsf{Patient}(y) \\ \hline Q(x) \leftarrow \mathsf{Doctor}(x) \land \mathsf{Patient}(f(x)) \\ \hline Q(x) \leftarrow \mathsf{treats}(x,f(x)) \land \mathsf{Doctor}(x) \\ Q(x) \leftarrow \mathsf{Doctor}(x) \\ Q(x) \leftarrow \mathsf{Consultant}(x) \end{array}$$



Example:

Doctor $\Box \exists$ treats.Patient Consultant
Doctor

 $treats(x, f(x)) \leftarrow Doctor(x)$

 $Q(x) \leftarrow \mathsf{treats}(x, y) \land \mathsf{Patient}(y)$ $Patient(f(x)) \leftarrow Doctor(x) \qquad -Q(x) \leftarrow Doctor(x) \land Patient(f(x)) - Q(x) \leftarrow Doctor(x) \land P$ $Doctor(x) \leftarrow Consultant(x) \qquad -Q(x) \leftarrow treats(x, f(x)) \land Doctor(x)$ $Q(x) \leftarrow \mathsf{Doctor}(x)$ $Q(x) \leftarrow \mathsf{Consultant}(x)$

For DL-Lite, result is a union of conjunctive queries

- Data can be stored/left in **RDBMS**
- Relationship between ontology and DB defined by mappings, e.g.:

Doctor	\mapsto	SELECT Name FROM Doctor
Patient	\mapsto	SELECT Name FROM Patient
treats	\mapsto	SELECT DName, PName FROM Treats

• UCQ translated into **SQL query**:

SELECT Name FROM Doctor UNION SELECT DName FROM Treats, Patient WHERE PName=Name





Some Research Challenges

- Extend saturation-based techniques to non-Horn fragments
 - SNOMED users want negation and/or disjunction
 - Non infectious Pneumonia
 - Infectious or Malignant disorder of lung
 - Burn injury of face neck or scalp
- Extend reasoning support
 - Modularity
 - Explanation

Some (more) Research Challenges

- Open questions w.r.t. query rewriting
 - FO rewritability (AC⁰) only for very weak ontology languages
 - Even for AC⁰ languages, queries can get very large (order $(|\mathcal{O}| \cdot |\mathcal{Q}|)^{|\mathcal{Q}|}$), and existing RDBMSs may behave poorly
 - Larger fragments require (at least) Datalog engines and/or extension to technique (e.g., partial materialisation)
- Integrating DL/DB research
 - Ontologies -v- dependencies
 - Open world -v- closed world



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